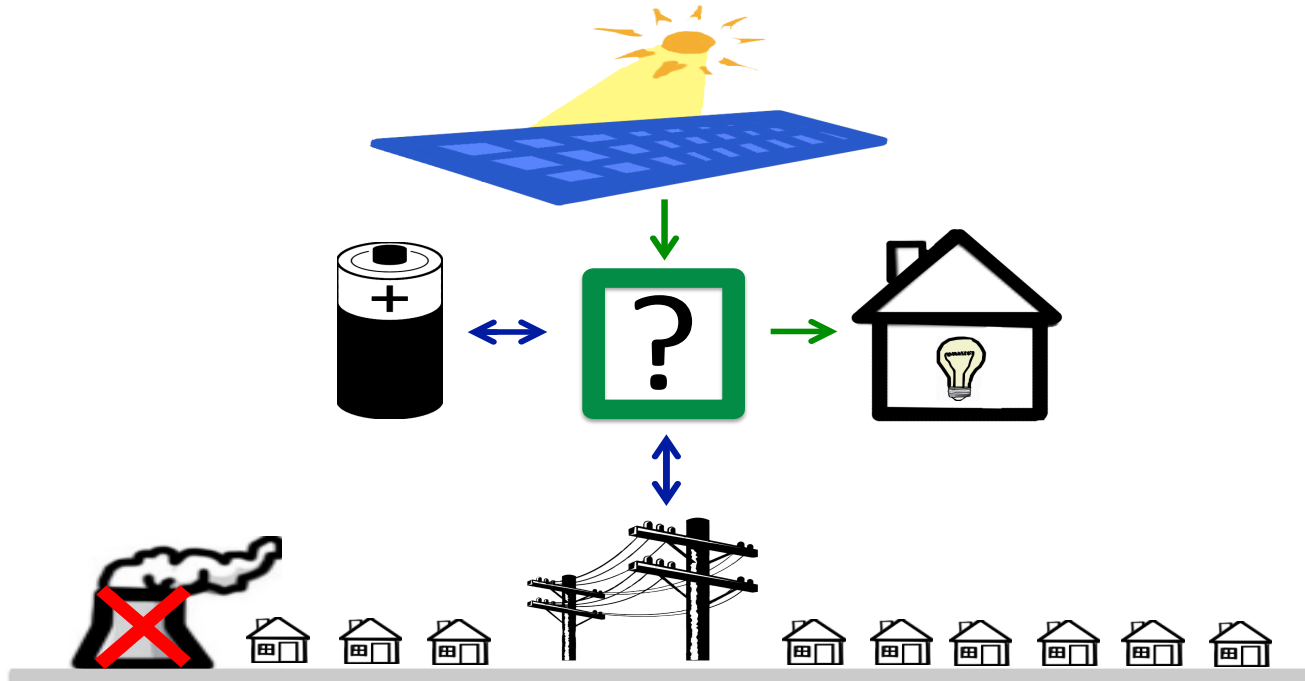


# Operation of Electricity Grids



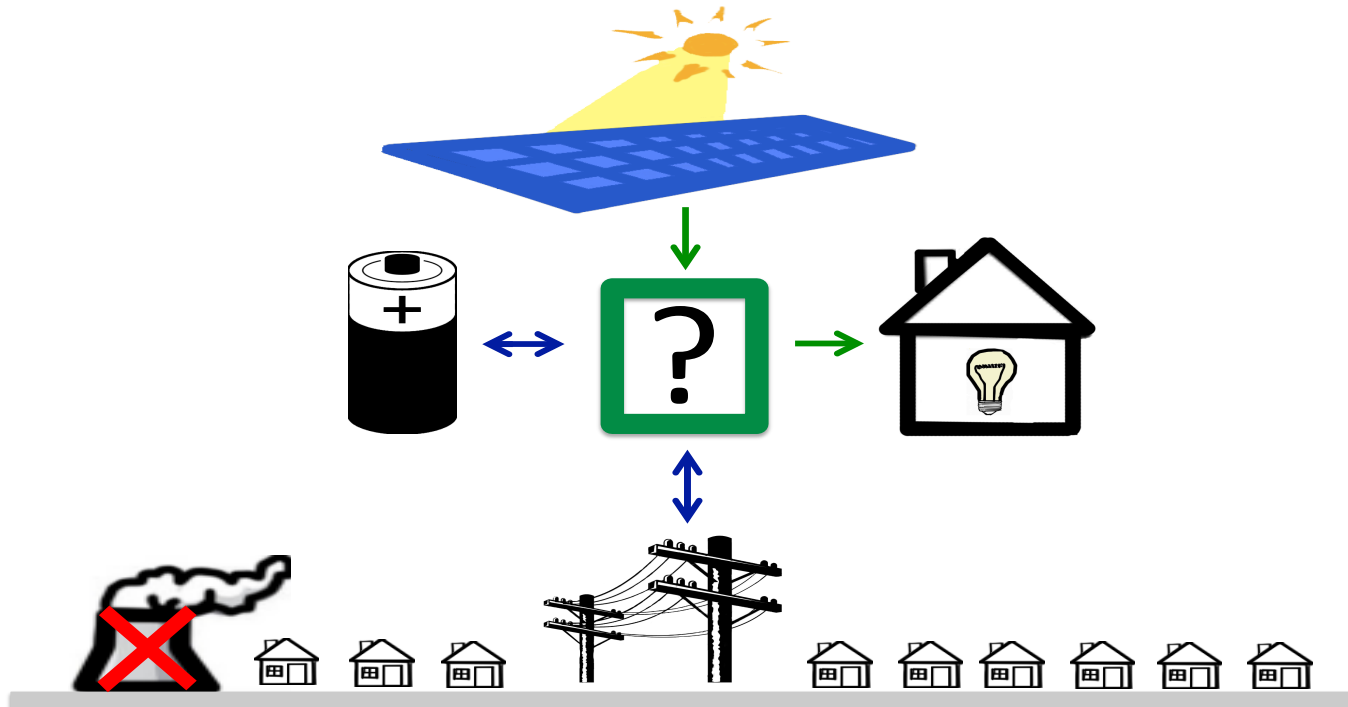
Dr. Elizabeth Ratnam, ANU FERL Fellow

The Australian National University

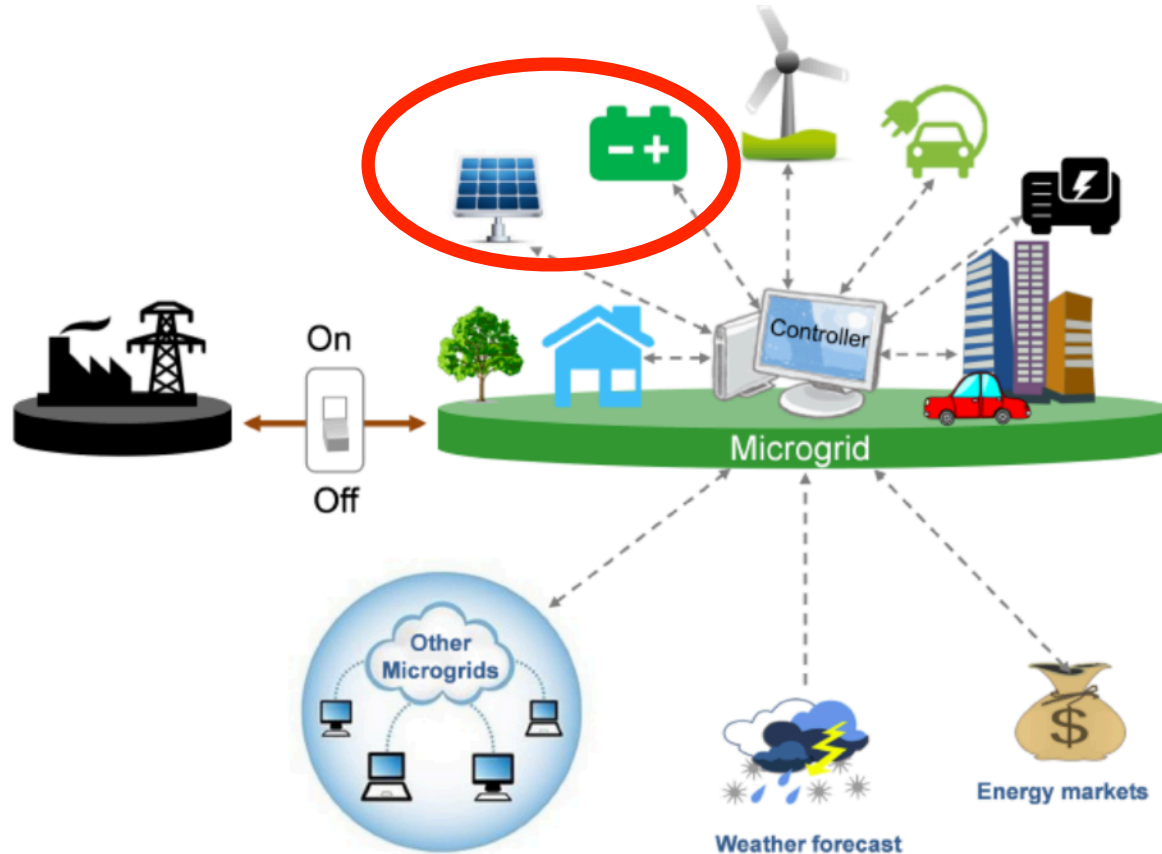
[elizabeth.ratnam@anu.edu.au](mailto:elizabeth.ratnam@anu.edu.au)

ETP executive training program May 2022

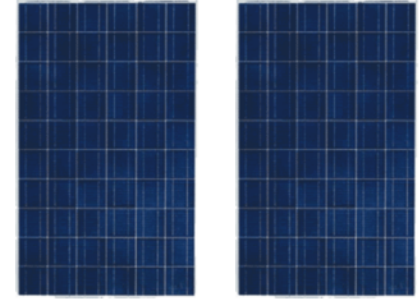
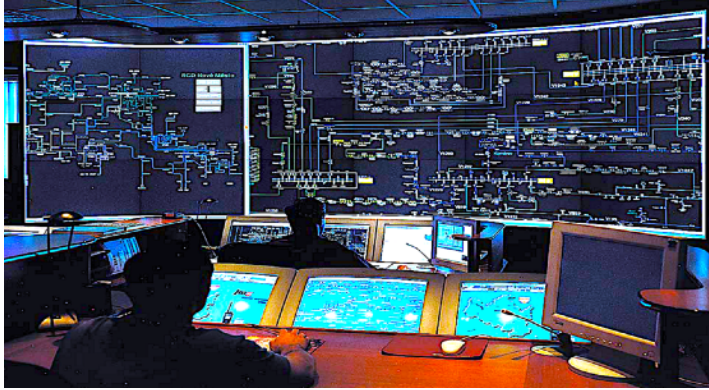
# Short Overview



# Elements of a carbon neutral electricity grid



# PV Generation - How do we grid-integrate PV?



3.8 m<sup>2</sup>

Installed PV Generation			Population	kW/person
	2010	Now		
Australia	~1GW	~15GW	25 million	0.60
Germany	~18GW	~55GW	84 million	0.65
USA	~1GW	~108GW	333 million	0.32
China	~0.8GW	~268GW	1,447 million	0.18

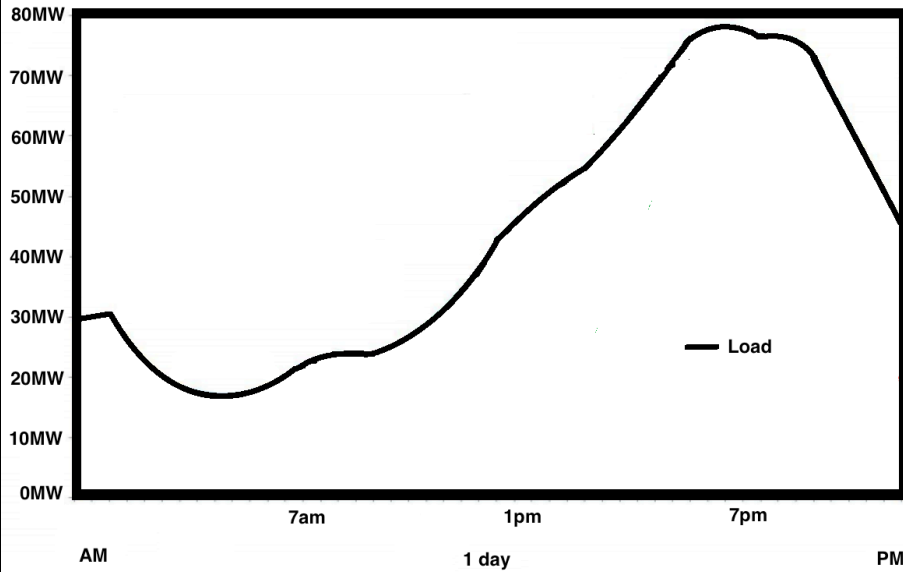




# Demand profile

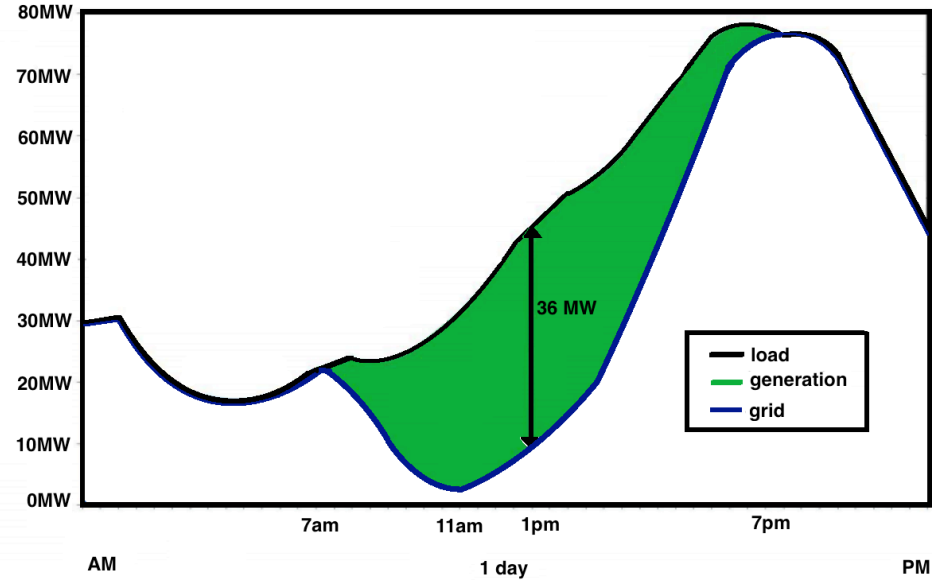


Summer daily profile for 26 651 customers



**Load**

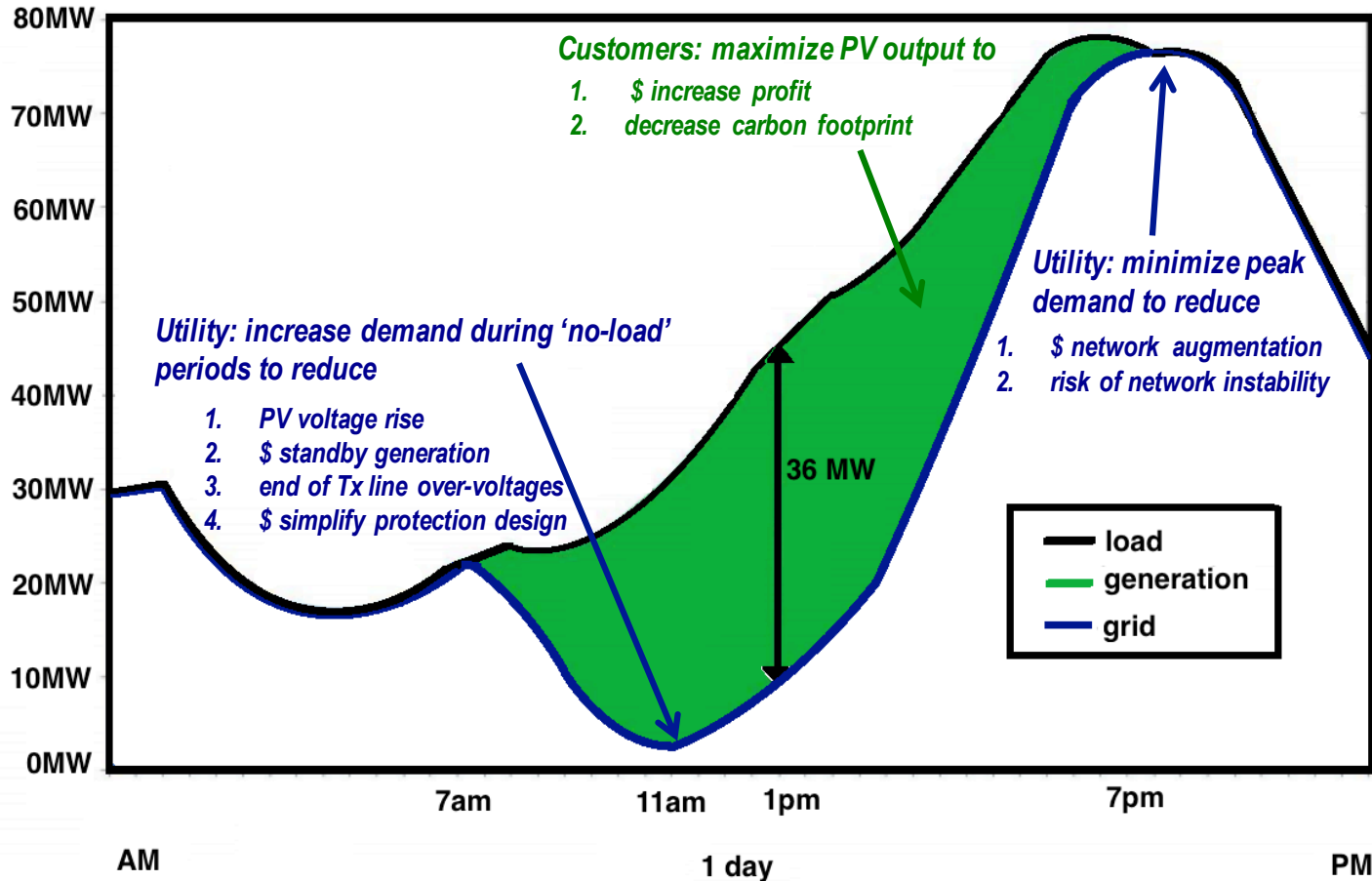
Summer daily profile for 26 651 customers with 52MW of rooftop solar PV



**Load + PV**

# Problem: Customer vs. Utility

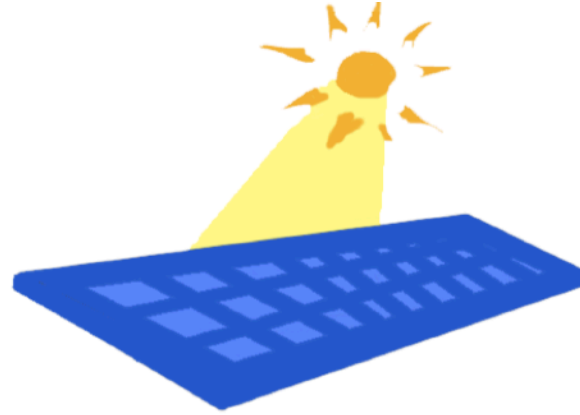
Summer daily profile for 26 651 customers with 52MW of rooftop solar PV



# An Australian PV customer



+



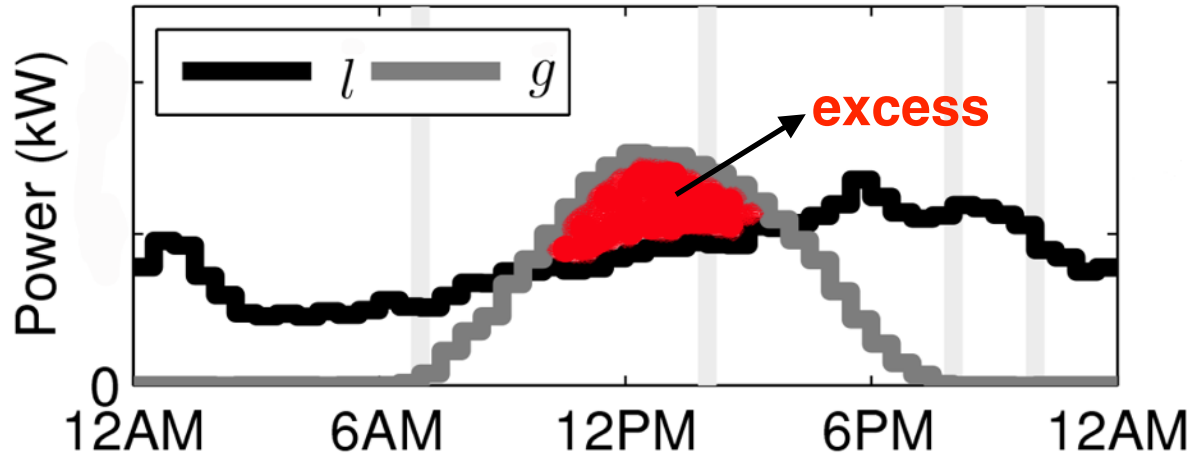
Residential Load  $\approx 20$  kWh/day  
 $\approx \$5/\text{day}$

1.5 kW PV unit produces  $\approx 5$  kWh/day  
 $\approx \$2/\text{day}$

1.5 kW PV unit exports  $\approx 2$  kWh/day

What about **excess** generation?

What about the **excess** generation?



What happens if we store it in a battery?

Is this **cost** effective?

What is the optimal use of this battery?



1. "An optimization-based approach to scheduling residential battery storage with solar PV: Assessing customer benefit," Renewable Energy, 2015
2. "Scheduling residential battery storage with solar PV: Assessing the benefits of net metering," Applied Energy, 2015
3. "Central versus localized optimization-based approaches to power management in distribution networks with residential battery storage," International Journal of Electric Power and Energy Systems, 2016

## 1. A single residential system

## 2. Coordinated residential systems

## 3. New Control Paradigms

4. "Distributed energy storage system scheduling considering tariff structure, energy arbitrage and solar PV penetration," Applied Energy, 2017

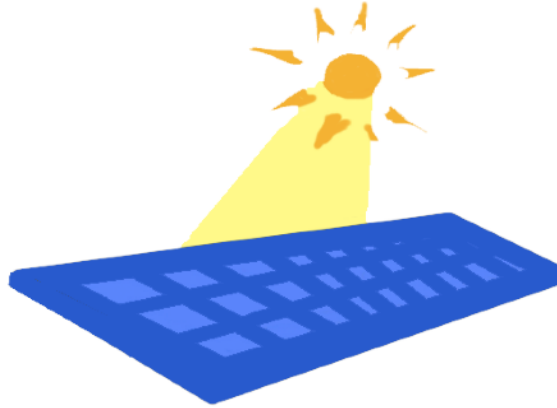


# An Australian PV + Battery Customer



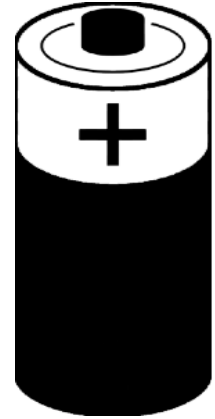
Residential Load  
 $\approx 20\text{kWh/day}$   
 $\approx \$5/\text{day}$

+



1.5kW PV unit produces  
 $\approx 5\text{kWh/day}$   
 $\approx \$3/\text{day}$  (\$2)

+



10kWh battery  
?

# Notation: A single residential system

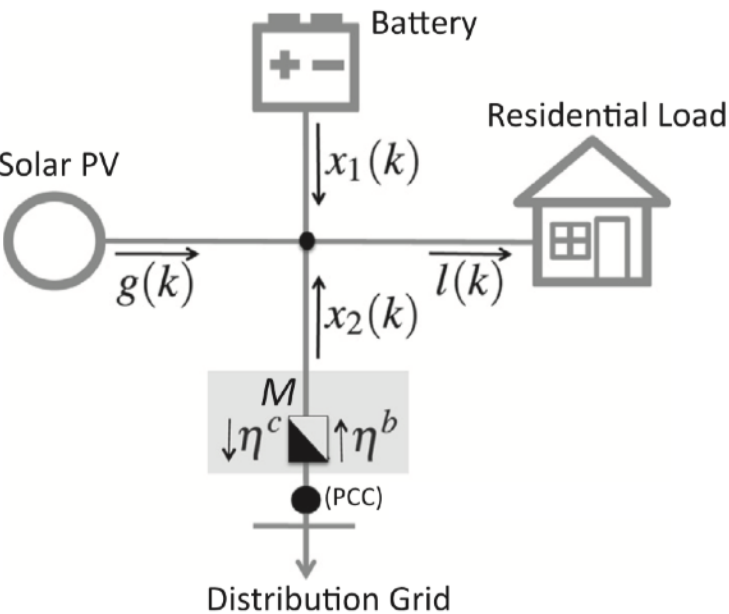
$x_2(k)$ 
measured power flow (in kW) over the  $k^{th}$  interval of length  $\Delta$

$x_1(k)$ 
average power (kW) delivered from (or to) the battery

$\chi(k)$ 
is the state of charge of the battery (in kWh) at time  $k\Delta$

$$\chi(k) = \chi(0) - \sum_{j=1}^k x_1(j)\Delta$$
for all  $k \in \{1, \dots, s\}$

$$0 \leq \chi(k) \leq C$$



$g(k)$   
average PV generation (kW) over the period  $((k - 1)\Delta, k\Delta)$

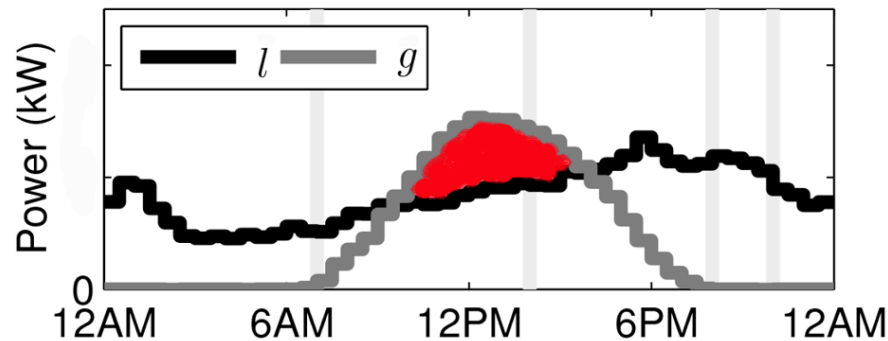
$l(k)$   
average power delivered to the residential load (in kW)

$\eta^b(k)$ 
electricity billing (in \$/kWH) at meter  $M$

$\eta^c(k)$ 
electricity compensation (in \$/kWH) at meter  $M$

# Notation: Day-ahead profiles and energy savings

$s$  is the number of time intervals of length  $\Delta$   
 $T = s\Delta$  (in hours) is the time window of interest  
 $\mathbb{R}^s$  denote  $s$ -dimensional vectors of real numbers



$g := [g(1), \dots, g(s)]^T \in \mathbb{R}_{\geq 0}^s$       *generation profile over  $[0, T]$*

$l := [l(1), \dots, l(s)]^T \in \mathbb{R}_{\geq 0}^s$       *load profile over  $[0, T]$*

$x_1 := [x_1(1), \dots, x_1(s)]^T \in \mathbb{R}^s$       *battery profile over  $[0, T]$*

$x_2 := [x_2(1), \dots, x_2(s)]^T \in \mathbb{R}^s$       *grid profile over  $[0, T]$*

*state of charge profile*       $\chi := [\chi(0), \dots, \chi(s)]^T \in \mathbb{R}^{s+1}$

$\eta^b := [\eta^b(1), \dots, \eta^b(s)]^T \in \mathbb{R}_{\geq 0}^s$       *electricity billing profile over  $[0, T]$*

$\eta^c := [\eta^c(1), \dots, \eta^c(s)]^T \in \mathbb{R}_{\geq 0}^s$       *electricity compensation profile over  $[0, T]$*

$\tilde{\Sigma}$  *energy bill without a battery over the time window  $[0, T]$*

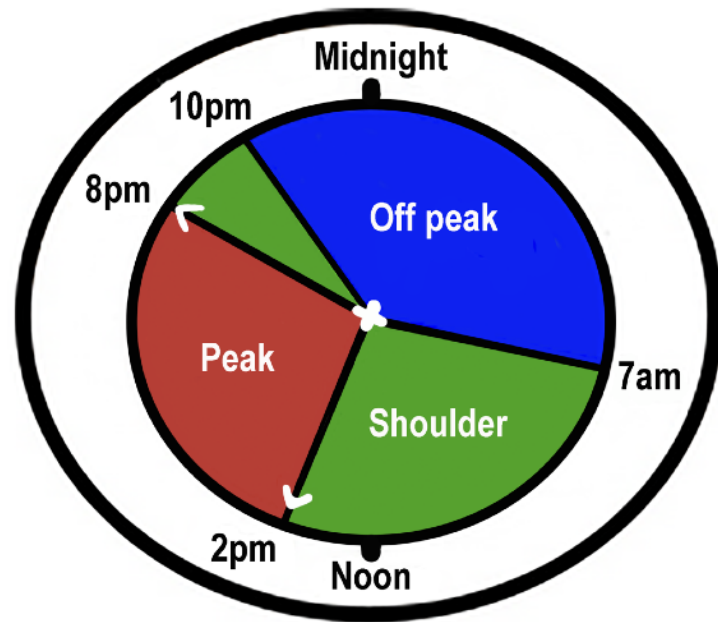
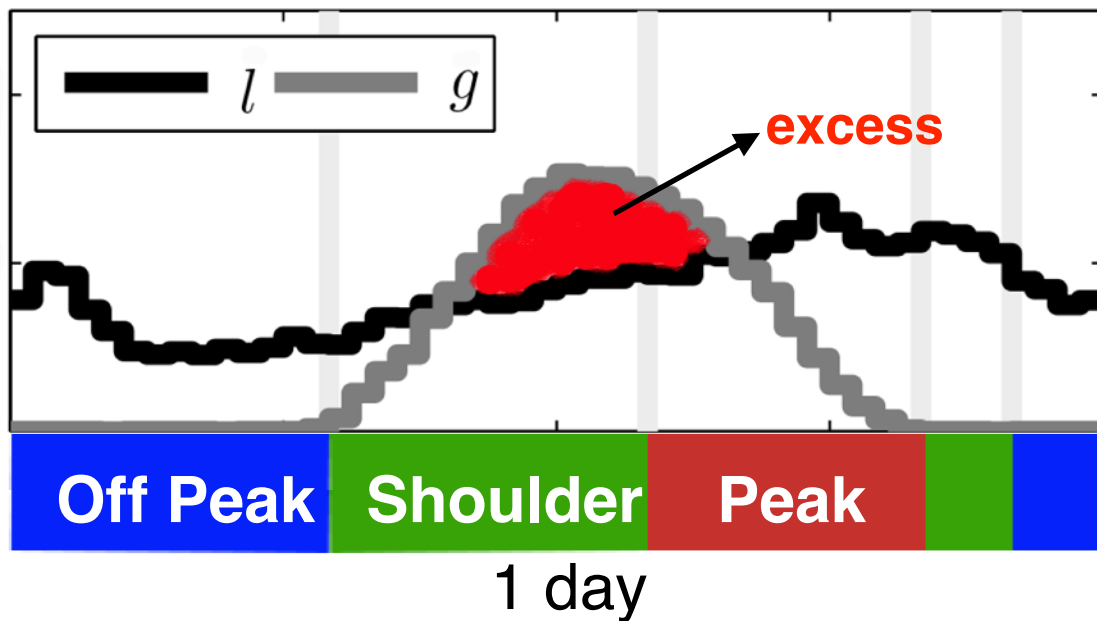
$\Sigma$  *energy bill with a battery over time window  $[0, T]$*

$\Psi := \tilde{\Sigma} - \Sigma$   
*energy savings (in \$/day)*



# Approach:

1. Consider the **benefits** of residential **battery** storage
2. In the context of financial policies (e.g., **net metering** and **feed-in tariffs**)
3. When customers are billed according to the time that they use electricity.



## Customer: Is this cost effective?

$$\Psi = \$0$$

$\mathbb{1} \in \mathbb{R}_{\geq 0}^s$  denotes the all-1s column vector of length  $s$

Fix  $\eta > 0$  and let the electricity billing and compensation profiles in the financial policy satisfy the following

$$\begin{aligned}\eta^b(j) &= \eta^c(k) = \eta \text{ for all } j, k \in \{1, \dots, s\}, \\ \eta^b &= \eta^c = \eta \mathbb{1}.\end{aligned}$$

Then for all choices of battery capacity  $C$  the energy savings are  $\Psi(C) = 0$ .

# Net metering

Financial policy of *net metering* defined by a resident being billed at the same rate as they are compensated for excess generation.

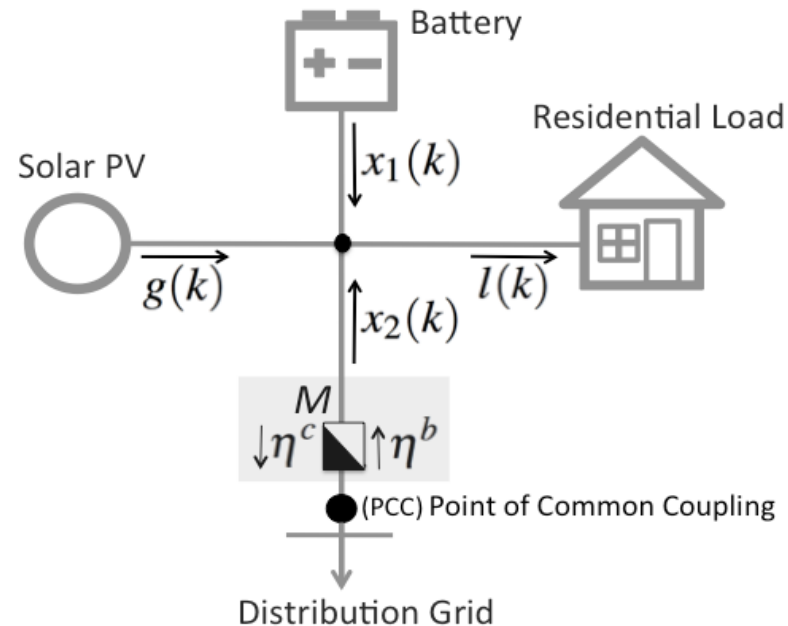
$$\eta^b(k) = \eta^c(k) \text{ for all } k \in \{1, \dots, s\},$$

irrespective of the direction of  $x_2(k)$

Financial policy of net metering

$$\eta := \eta^b = \eta^c, \text{ where } \eta \in \mathbb{R}_{\geq 0}^s$$

$$\text{Energy Bill with a battery } \Sigma := \Delta \eta^T x_2$$

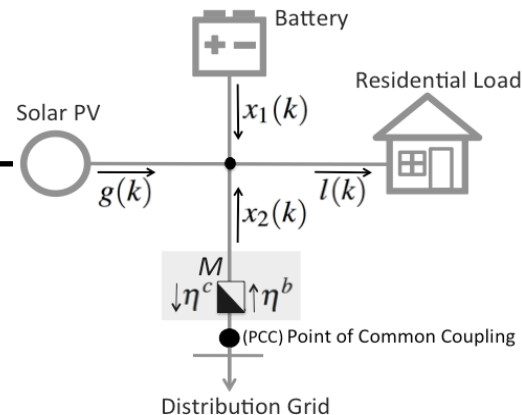


# Customer: How to calculate the operational savings?

Consider a residential energy network employing a financial policy of net metering, where  $\eta \in \mathbb{R}_{\geq 0}^s$  is assumed fixed and known.

Let  $x_1 \in \mathbb{R}^s$  represent the battery profile over  $[0, T]$  where  $T = s\Delta$ .

Then the operational savings are given by  $\Psi = \Delta \eta^T x_1$



# Customer: Linear Program (LP) to maximise savings

Maximise operation savings

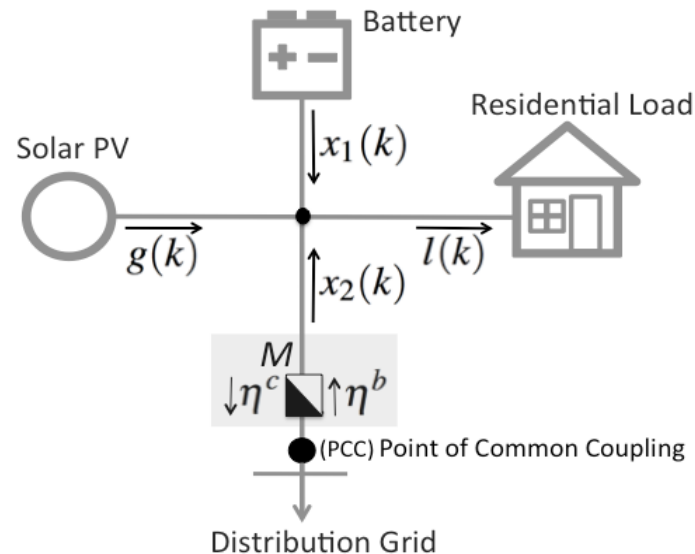
$$\max_{x_1 \in \mathbb{R}^s} \Delta \eta^T x_1$$

such that

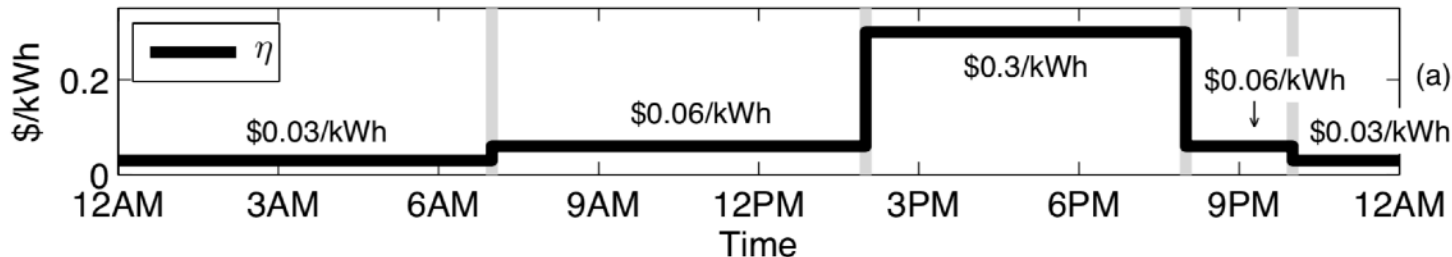
$$A_1 x_1 \leq b_1,$$

$$\mathbb{1}^T x_1 = 0.$$

Battery Constraints



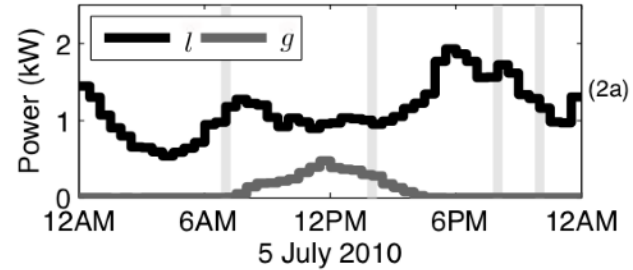
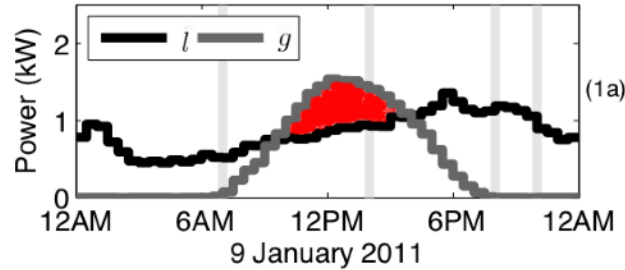
Net Metering



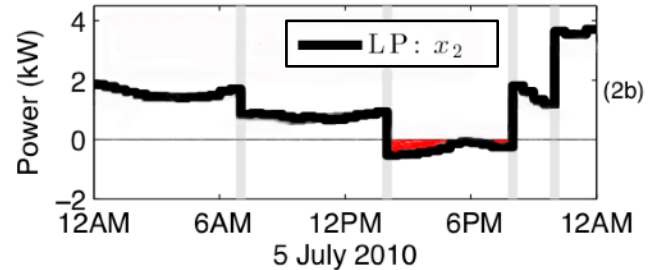
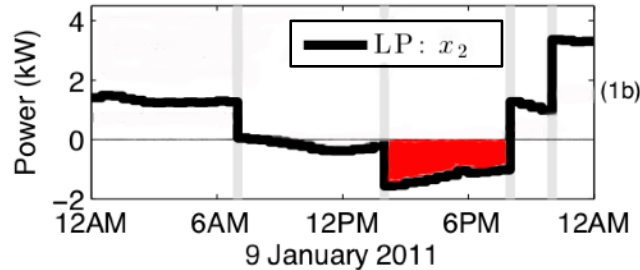
**C=10kWh**  
**\$988/yr**

# Customer (maximise savings) **vs** Utility (Reverse power flow)

Average load  
and generation  
profiles



Average grid  
profiles



Summer

Winter

# Utility (flatten the load curve)

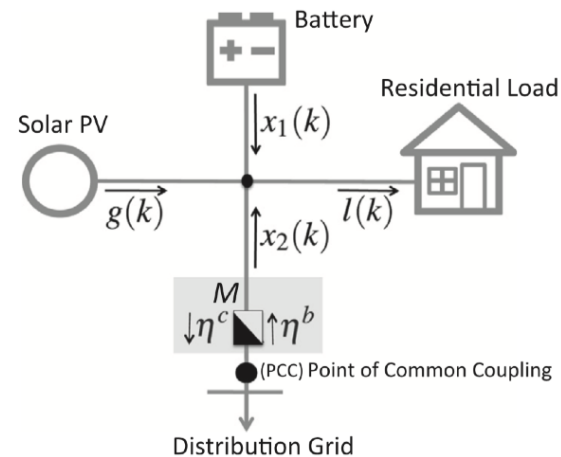
To penalise large voltage swings stemming from reverse power flow and peak load and to increase daily operational savings, we minimise the following expression,

$$\sum_{k=1}^s h(k)(x_2(k))^2$$

where  $h(k) \geq 1 \forall k \in \{1, \dots, s\}$   
and  $k$  is a time index

Subject to Constraints

$$\begin{aligned} x_2(k) &= l(k) - g(k) - x_1(k) \quad \forall k \in \{1, \dots, s\} && \longrightarrow \text{Power Balance Equation} \\ \underline{B}\mathbb{1} \leq x_1 \leq \overline{B}\mathbb{1} \quad \mathbf{0} \leq \chi \leq C \begin{bmatrix} 1 \\ \mathbb{1} \end{bmatrix} \quad \chi(s) &= \chi(0) \quad \chi(k) := \chi(0) - \sum_{j=1}^k x_1(j)\Delta \quad \text{for all } k \in \{1, \dots, s\} \end{aligned}$$



$s$  is the number of time intervals of length  $\Delta$

Battery  $\longrightarrow$

# Utility: Quadratic Program

$$\mathbf{H} := \text{diag}(h(1), \dots, h(s))$$

$$\mathbf{H} := \text{diag}(1, \dots, 1)$$

$$\min_x x^T H x$$

$$x := \begin{bmatrix} x_1^T & x_2^T \end{bmatrix}^T \in \mathbb{R}^{2s}$$

$$H := \begin{bmatrix} \mathbf{0} & \mathbf{0} \\ \mathbf{0} & \mathbf{H} \end{bmatrix} \in \mathbb{R}^{2s \times 2s}$$

such that

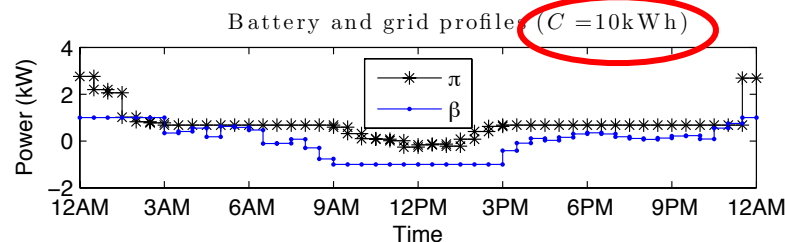
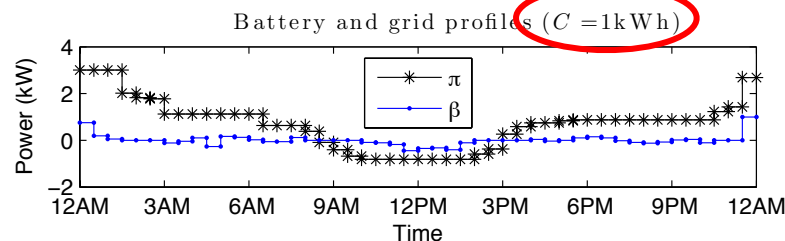
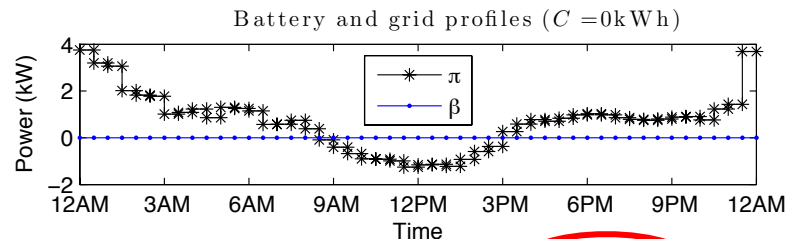
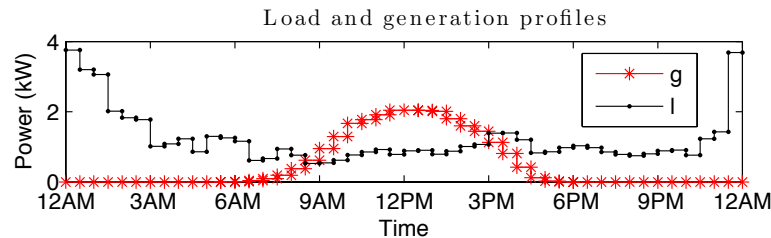
$$A_1 x \leq b_1$$

$$A_2 x = b_2$$

battery constraints

power balance equation +  
battery constraints

$\mathbf{0}$  denotes an all-zero matrix





# QP: Balancing Customer and Distributor Benefits

Maximize

$$\sum_{k=1}^s w \Delta \eta(k) x_1(k) - \eta(k) (x_2(k))^2$$

**maximise savings (LP)**

**flatten the load curve (QP)**

where  $w$  is a distributor weighting.

## Constraints

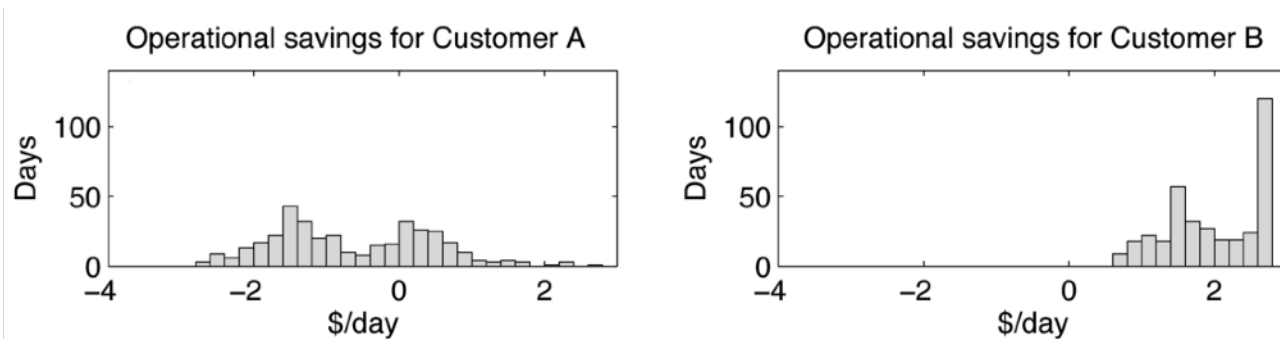
$$x_2(k) = l(k) - g(k) - x_1(k) \quad \forall \quad k \in \{1, \dots, s\} \quad \longrightarrow \quad \text{Power Balance Equation}$$

$$\underline{B}\mathbb{1} \leq x_1 \leq \overline{B}\mathbb{1} \quad \mathbf{0} \leq \chi \leq C \begin{bmatrix} 1 \\ \mathbb{1} \end{bmatrix} \quad \chi(s) = \chi(0) \quad \chi(k) := \chi(0) - \sum_{j=1}^k x_1(j)\Delta \quad \text{for all } k \in \{1, \dots, s\}$$

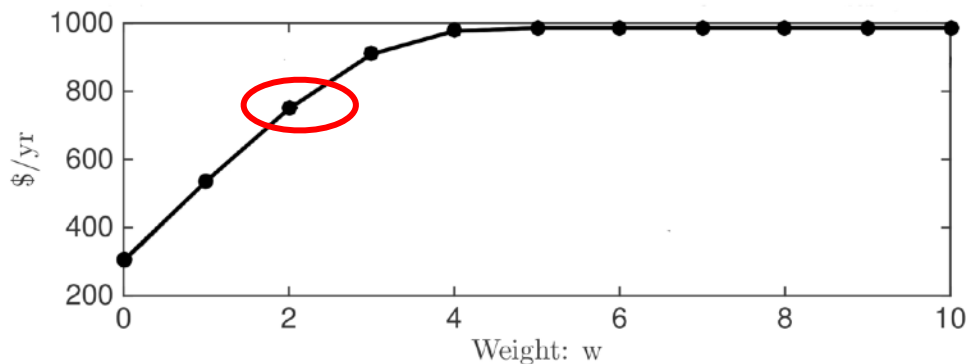
Battery  $\longrightarrow$

# Operational Savings: 145 customers

Not all  
customers  
benefit



Average  
operational  
savings

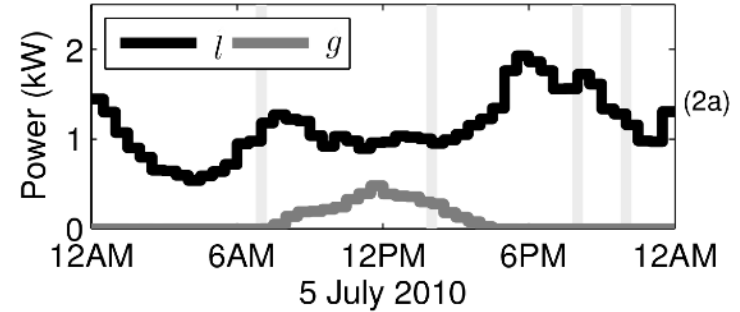
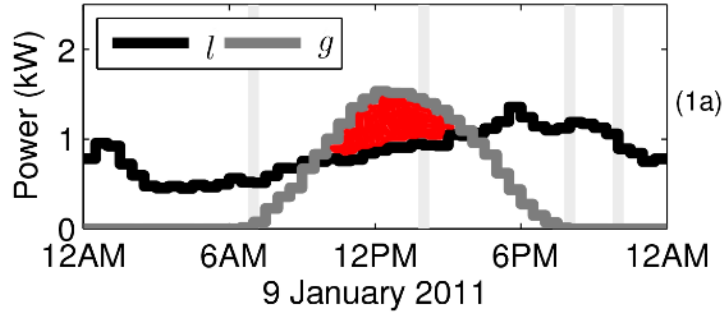


EL Ratnam, SR Weller, CM Kellett, "Central versus localized optimization-based approaches to power management in distribution networks with residential battery storage," International Journal of Electric Power and Energy Systems, 2016

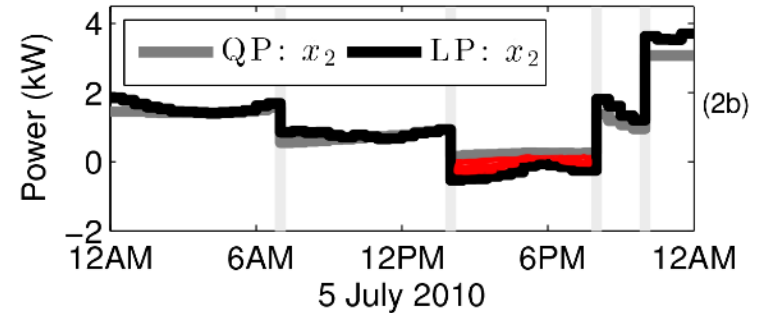
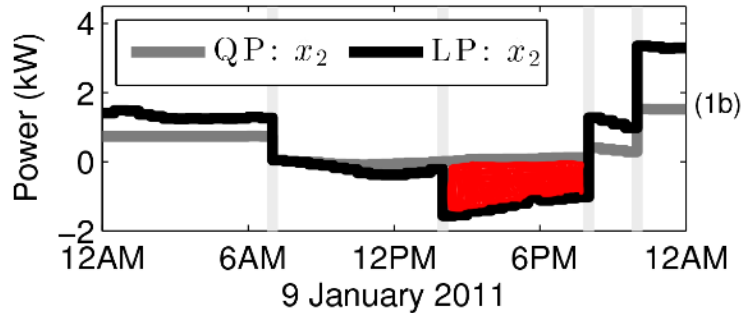
# Assessing the utility benefit: 145 Customers

$$w \approx 2$$

Average load  
and  
generation  
profiles



Average grid  
profiles

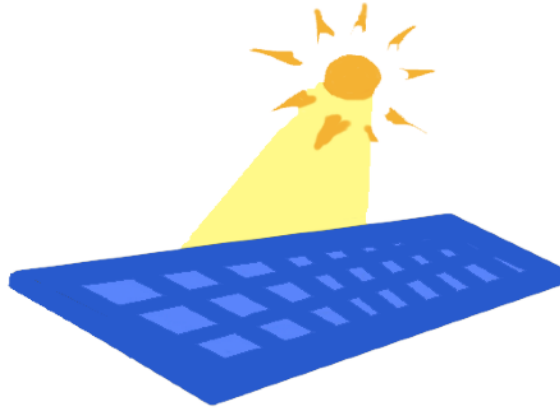


# An Australian PV + Battery Customer



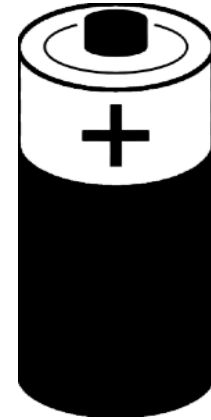
Residential Load  
 $\approx 20\text{kWh/day}$   
 $\approx \$5/\text{day}$

+



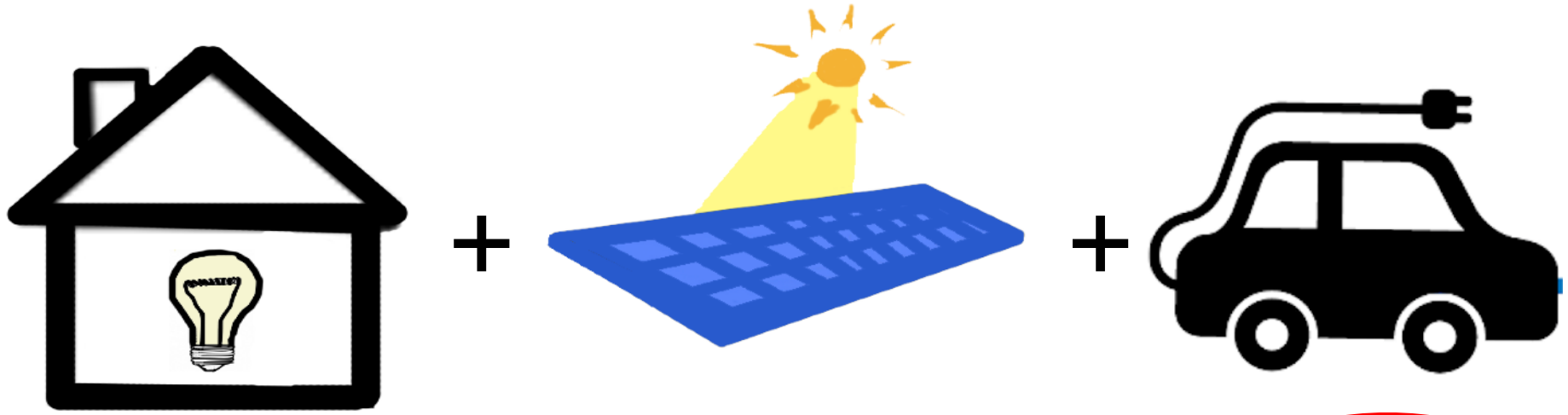
1.5kW PV unit produces  
 $\approx 5\text{kWh/day}$   
 $\approx \$3/\text{day}$  (\$2)

+



10kWh battery  
LP  $\approx -\$1/\text{day}$  (\$4)  
QP  $\approx \$1/\text{day}$  (\$2)

# What about Electric Vehicle customers?



Residential Load  
 $\approx 20 \text{ kWh/day}$   
 $\approx \$5/\text{day}$

1.5 kW PV unit produces  $\approx 5 \text{ kWh/day}$   
 $\approx \$2/\text{day}$   
1.5 kW PV unit exports  $\approx 2 \text{ kWh/day}$

$\approx 5 \text{ kWh/day}$   
 $\approx 40 \text{ km}$

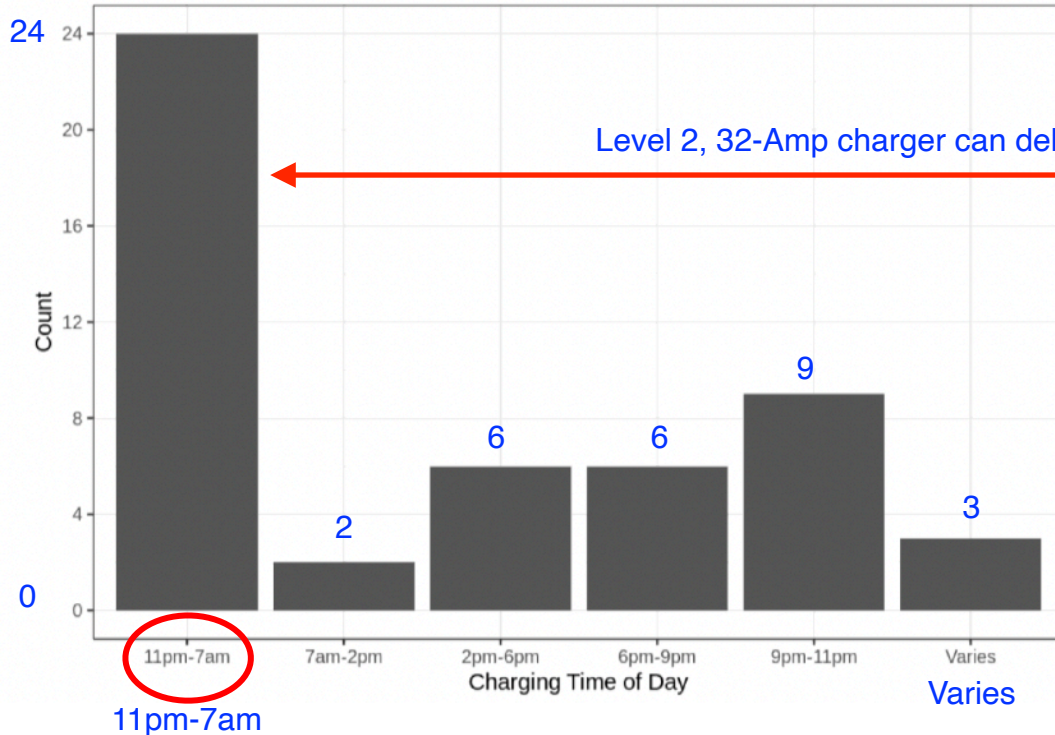
?

## What about **excess** generation?

<https://www.energymadeeasy.gov.au/>  
[https://www.tesla.com/en\\_AU/support/range-calculator](https://www.tesla.com/en_AU/support/range-calculator)

# EV Charging - How do we grid-integrate EVs?

Figure 10: Focus Group Participant Response to PEV Charging Time of Day

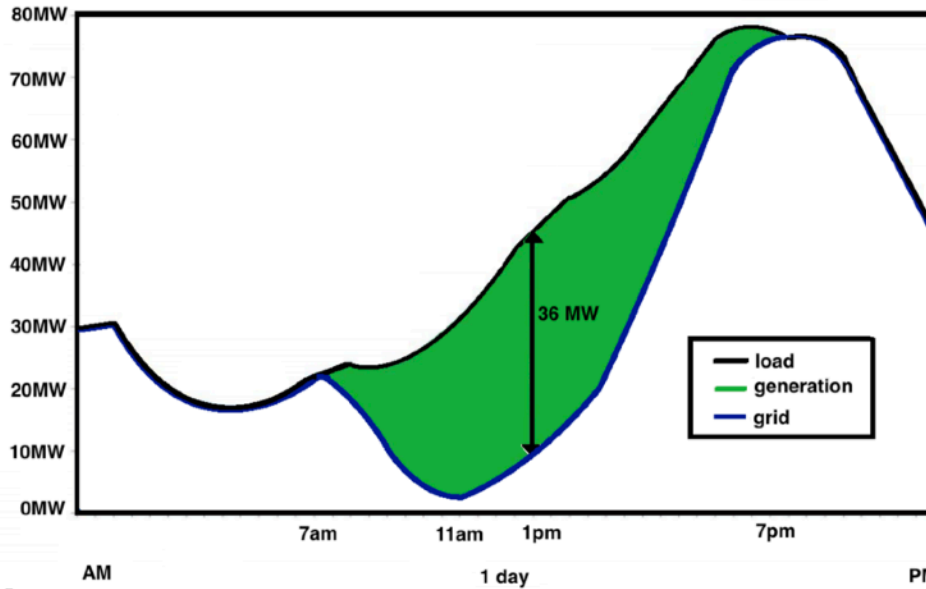


Level 2: 20 to 100 km Per Hour  
Charging: from 11pm-7pm

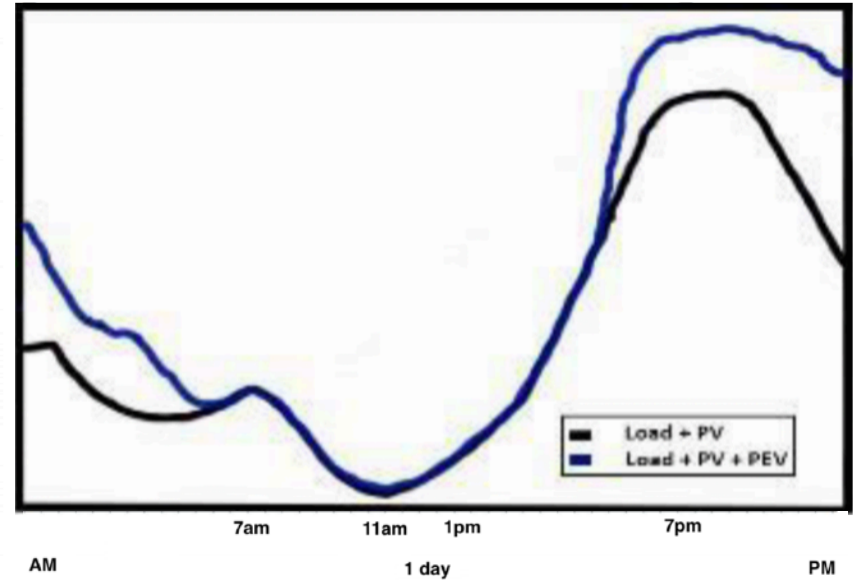
# Demand profile



Summer daily profile for 26 651 customers with 52MW of rooftop solar PV



**Load + PV**



**Load + PV + EV ?**



1. "Central versus localized optimization-based approaches to power management in distribution networks with residential battery storage," International Journal of Electric Power and Energy Systems, 2016
2. "Receding horizon optimization-based approaches to manage supply voltages and power flows in a distribution grid with battery storage," EL Ratnam, SR Weller, Applied Energy, 2018

# 1. A single residential system

## 2. Coordinated residential systems

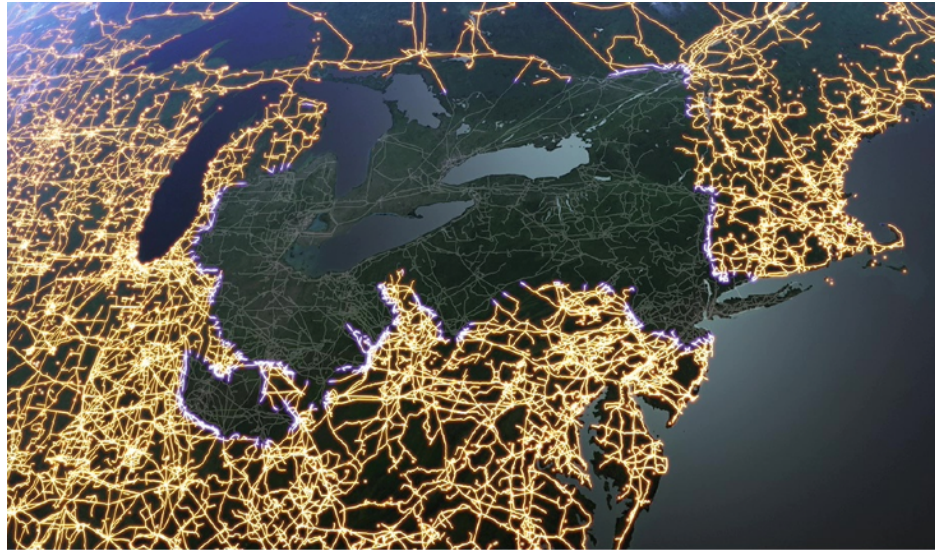
### 3. New Control Paradigms



1. N. I. Nimalsiri, E. L. Ratnam, D. B. Smith, C. P. Mediwaththe and S. K. Halgamuge, "Coordinated Charge and Discharge Scheduling of Electric Vehicles for Load Curve Shaping," in *IEEE Transactions on Intelligent Transportation Systems*, doi: 10.1109/TITS.2021.3071686.
2. Nanduni I. Nimalsiri, Elizabeth L. Ratnam, Chathurika P. Mediwaththe, David B. Smith, Saman K. Halgamuge, Coordinated charging and discharging control of electric vehicles to manage supply voltages in distribution networks: Assessing the customer benefit, Applied Energy, Vol 291, 2021

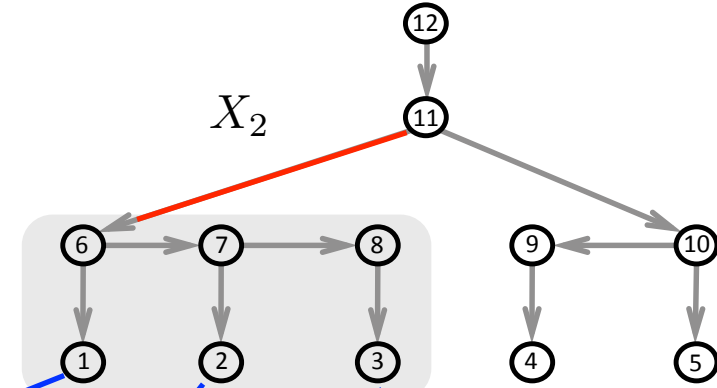


**Can we reduce the risk of critical failures?**

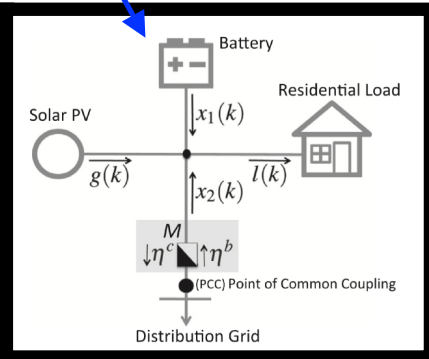
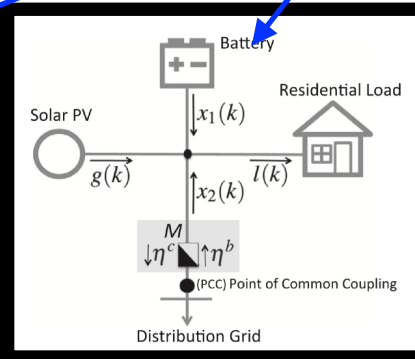
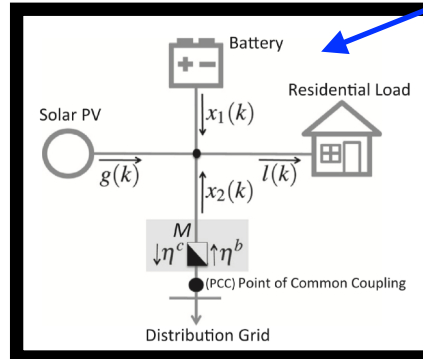


# Coordinate residential systems

1. Reduce peak load and reverse power flow along a critical line or through a transformer



2. What about the supply voltages?



# Central QP energy-shifting

Maximize

$$\sum_{k=1}^s w \Delta \eta(k) X_1(k) - \eta(k) (X_2(k))^2$$

$w$  is a scalar weighting

$\eta(k)$  is the net metering electricity price in \$/kWh over the  $k^{th}$  interval of length  $\Delta$

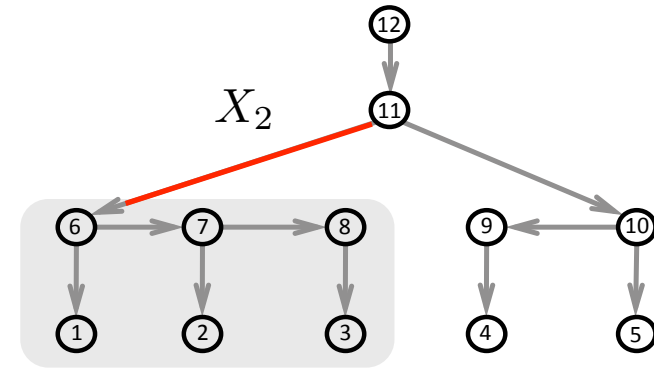
$X_1(k)$  is combined power to or from microgrid batteries

$X_2(k)$  is the power (in kW) to or from the microgrid

Subject to Constraints

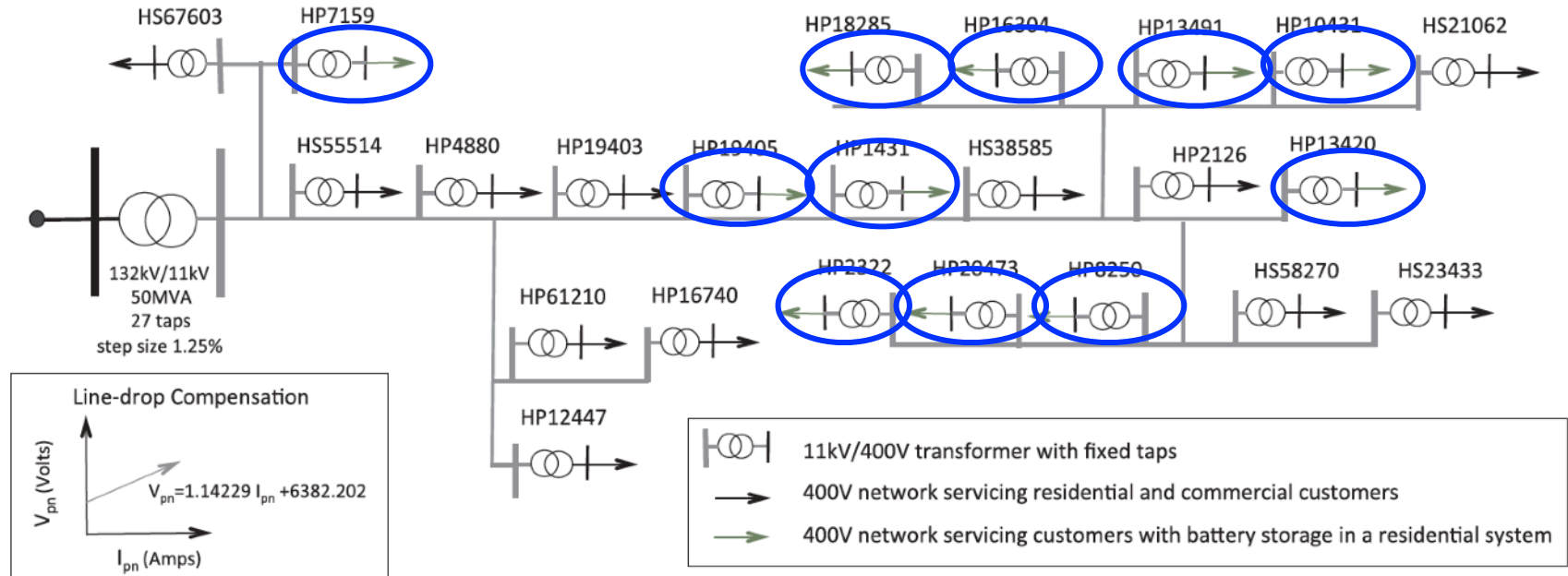
$$\mathbf{P}\mathbf{1} \leq X_2 \leq \bar{\mathbf{P}}\mathbf{1}$$

$$A_1 X_1 \leq N b_1, \quad \mathbf{1}^T X_1 = 0 \quad \text{and} \quad X_2 = X_1 + L - G$$

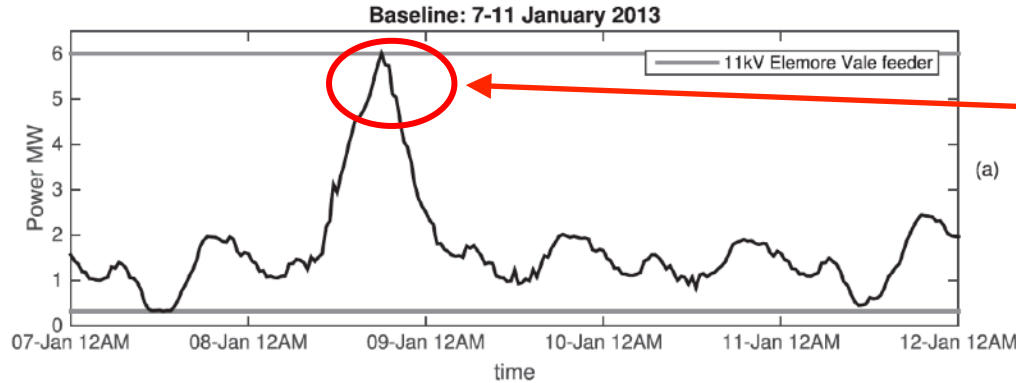


# Newcastle: Elmore Vale Feeder Model

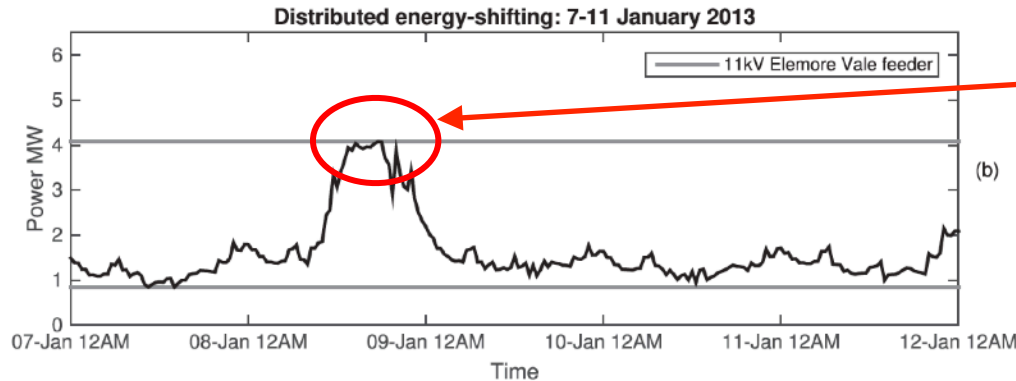
~ 50% PV Penetration



# Peak load reduction of $\sim 2\text{MW}$



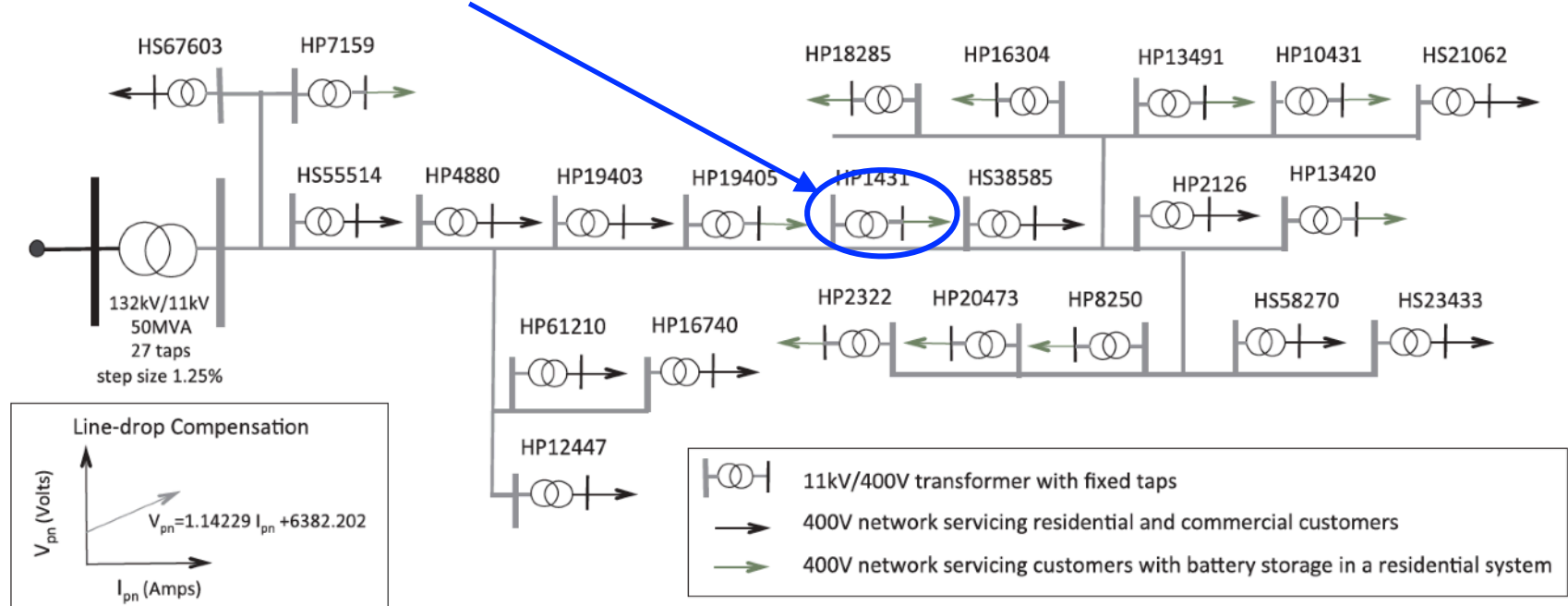
**Baseline  
(no battery)**



**Approach 1  
Central QP energy-  
shifting**

# What about the supply voltages?

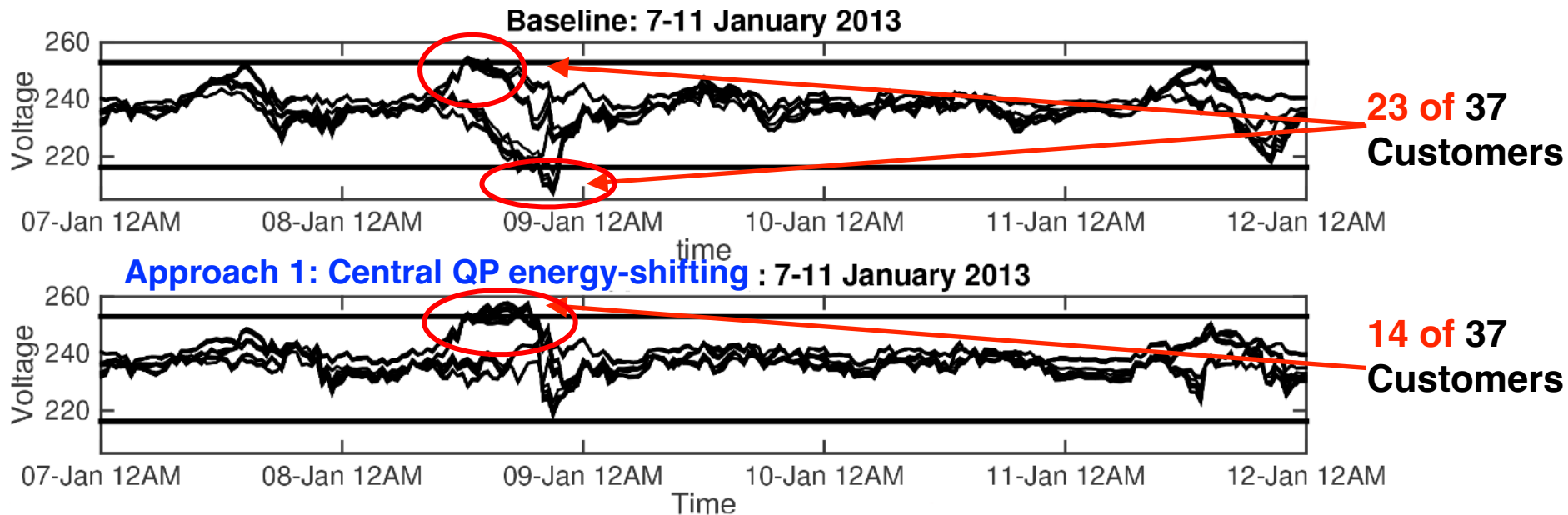
## Supply voltages



**+10%/-6% of 230V, AS 60038-1012 Standard Voltages**

# Voltage Violations - Inverters switch off

**+10%/-6% of 230V**

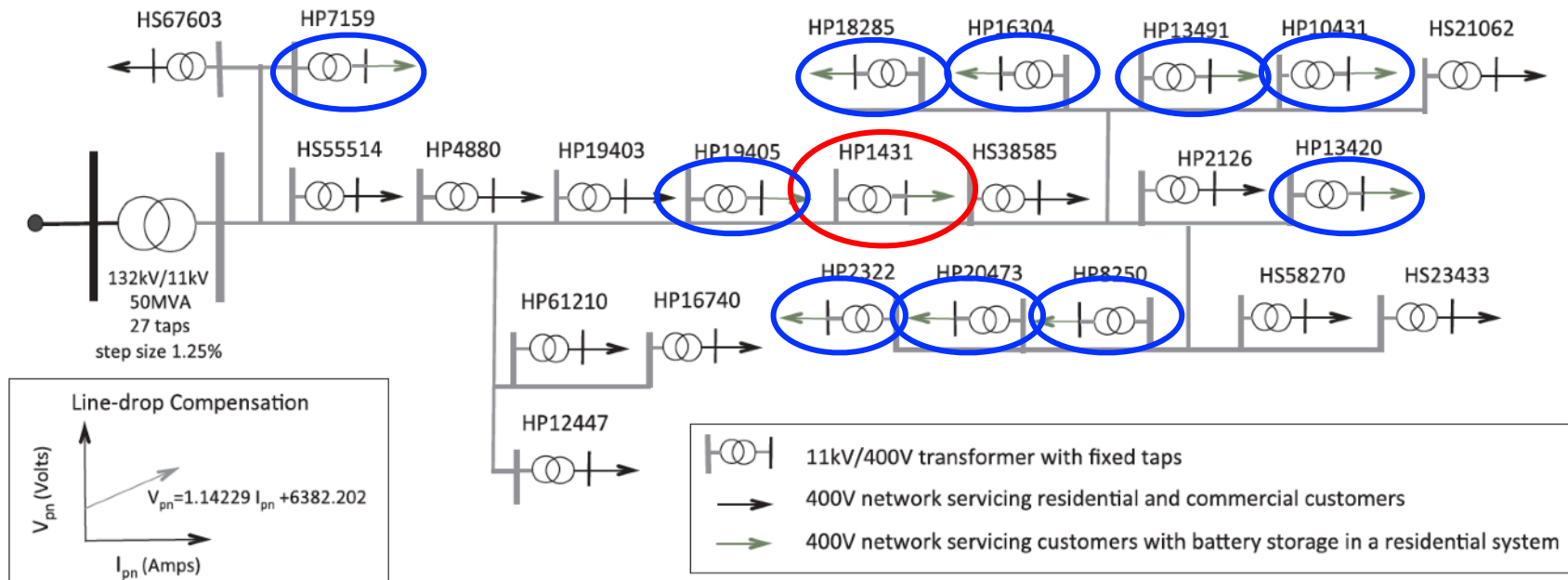


EL Ratnam, SR Weller, "Receding horizon optimization-based approaches to manage supply voltages and power flows in a distribution grid with battery storage," Applied Energy, 2018



# Solution: local plus central QP energy-shifting

~ 50% PV Penetration

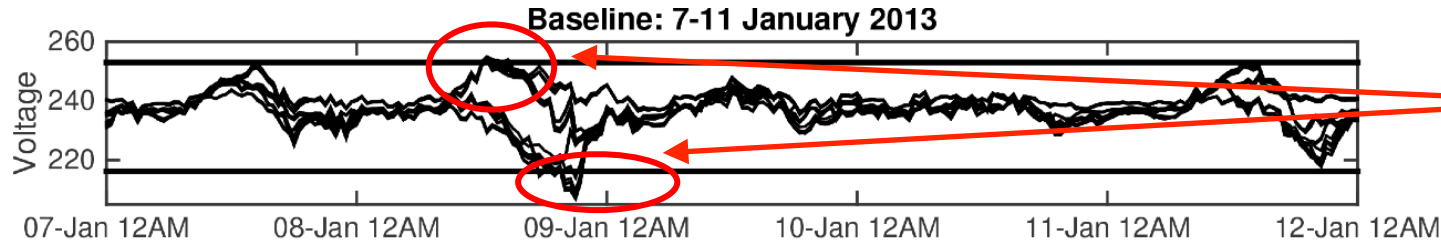


Central

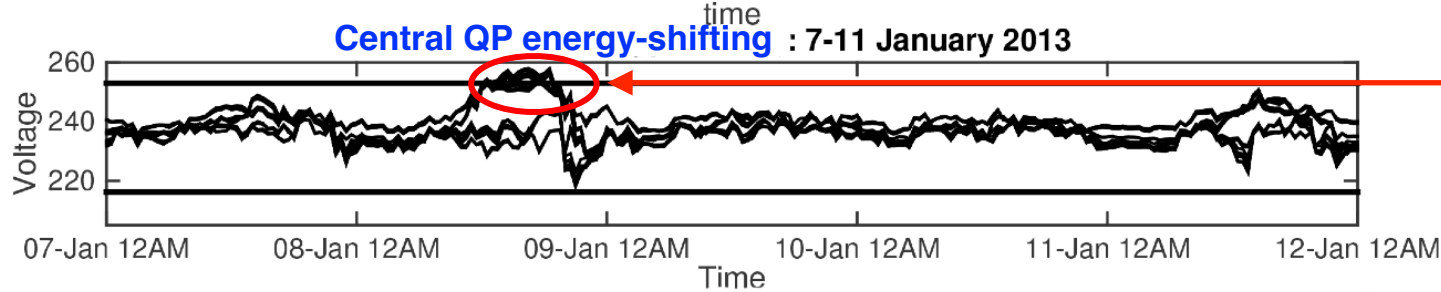
Local



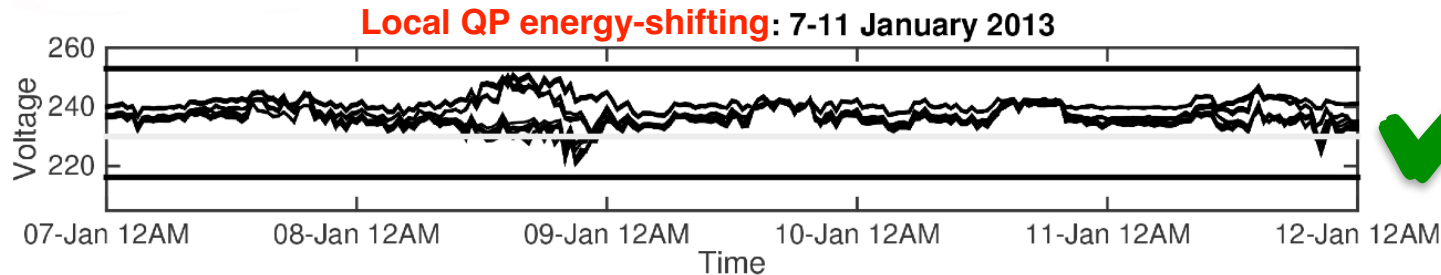
# Supply voltages Ok



**23 of 37  
Customers**

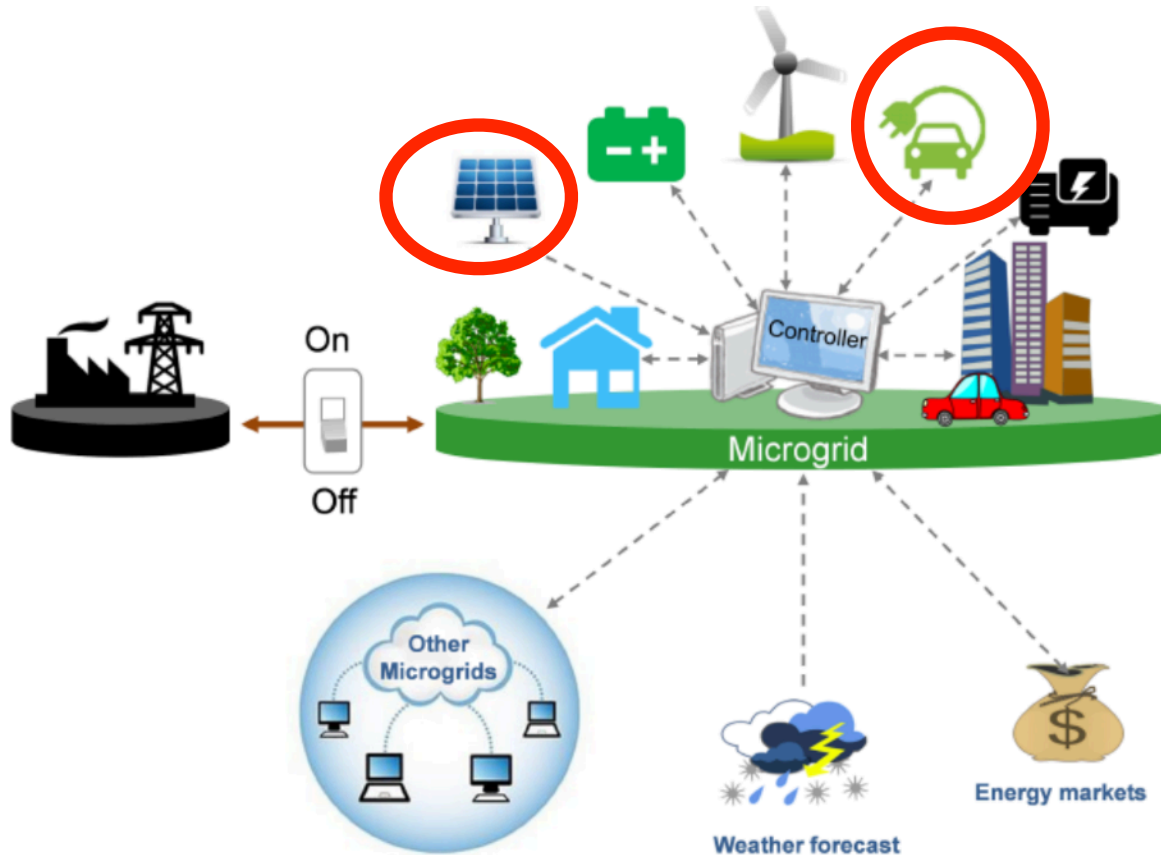


**14 of 37  
Customers**

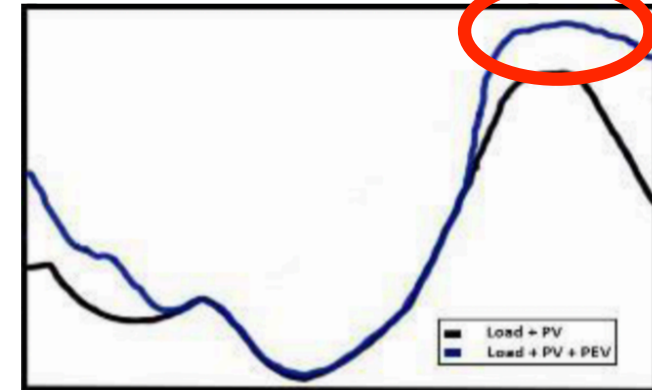


**0 of 37  
Customers**

# Coordinating EV Charging and Discharging

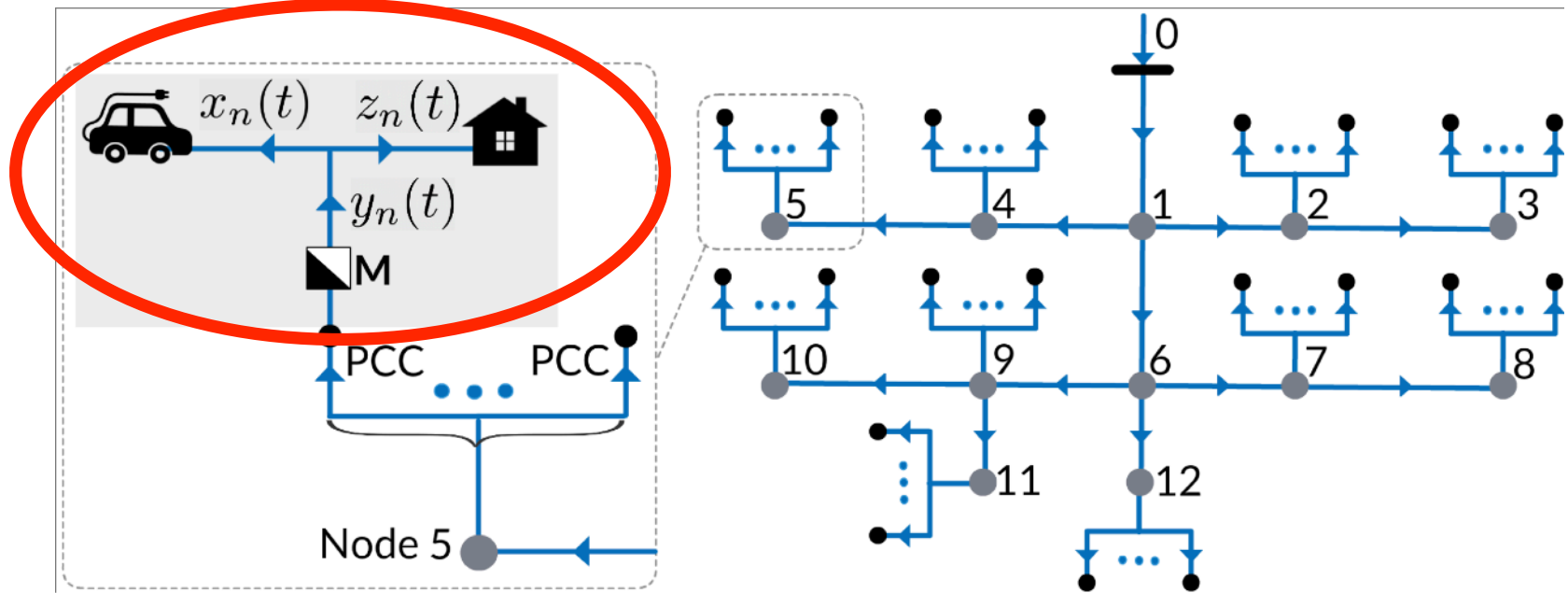


**Load + PV + EV**



# Coordinating EV Charging and Discharging

## Vehicle 2 Grid operation?



1. Reduce peak load through a transformer
2. What about the supply voltages?

# LP: Balancing Customer and Distributor Benefits

$$\begin{aligned} & \max_{x_1 \in \mathbb{R}^s} \Delta \eta^T x_1 \\ & \text{such that} \\ & A_1 x_1 \leq b_1, \\ & \mathbf{1}^T x_1 = 0. \end{aligned}$$

maximise savings (LP)

EV Battery constraints

Plus

Linearised Power Flow Equations (LinDistFlow)  
with Voltage Constraints

$$\underline{v}^2 \mathbf{1} \leq \mathcal{V} + \sum_{n=1}^h \overline{\mathcal{D}}_n \mathbf{x}_n \leq \overline{v}^2 \mathbf{1}$$



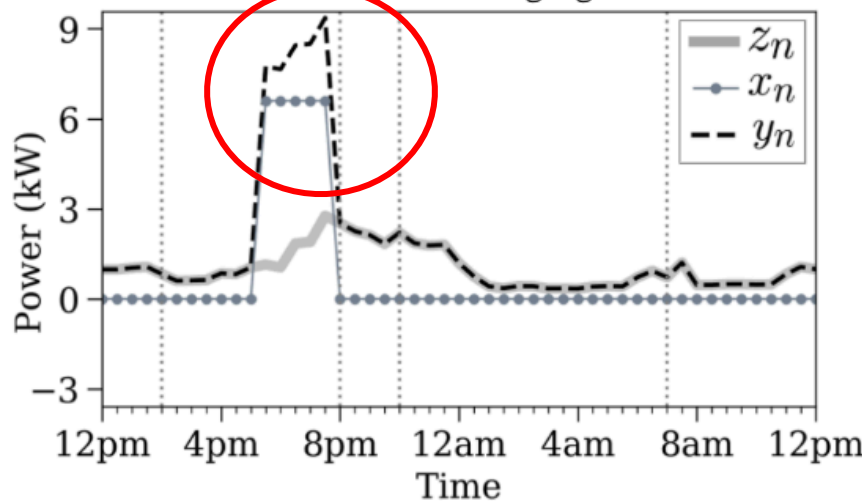
# Coordinate EV Charging with V2G

$\approx 14 \text{ kWh/day}$   
 $\approx 110 \text{ km}$

?

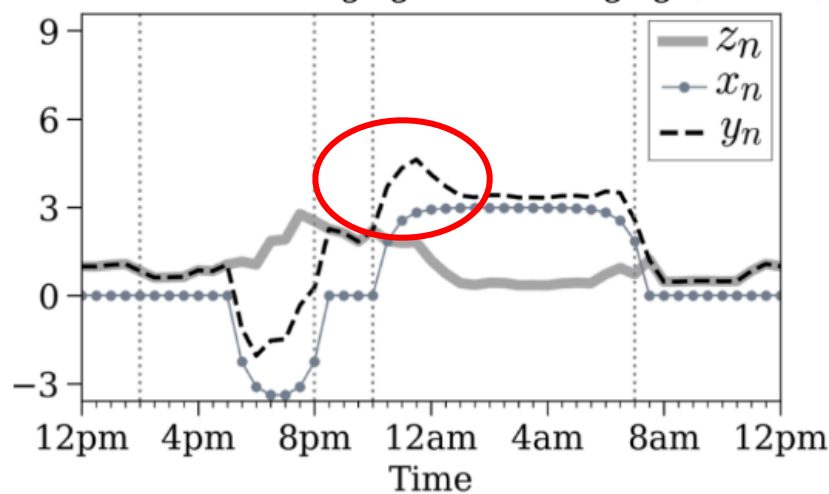
What about the supply voltages?

(a) Uncoordinated EV Charging



Cost: \$9.02

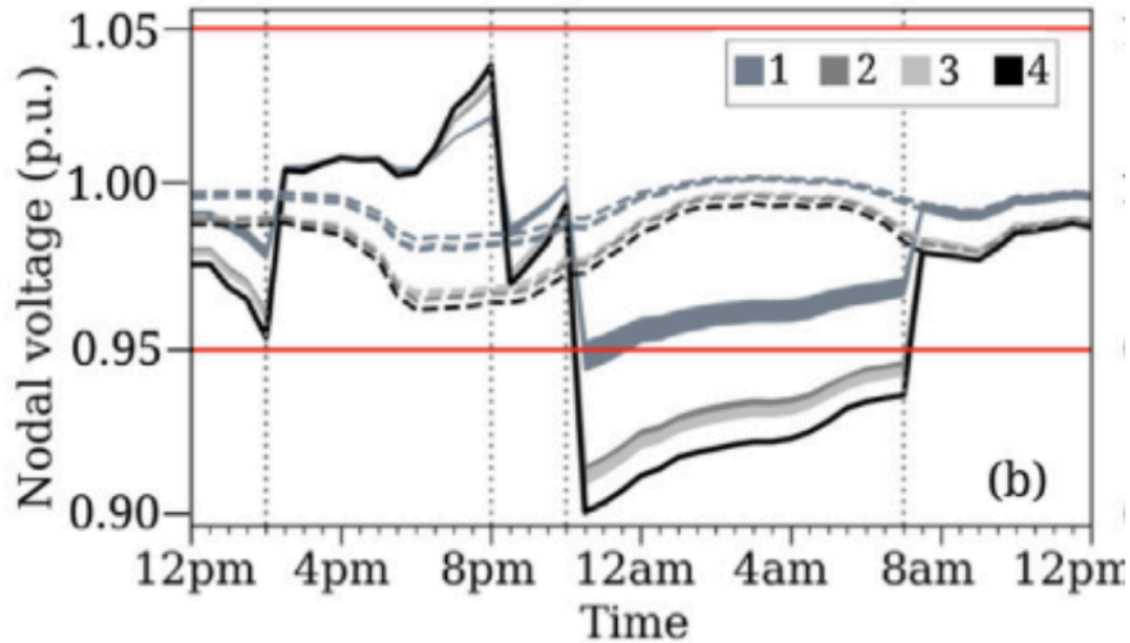
(b) Price-based EV Charging and Discharging (P-EVCD)



Cost \$0.72

# Coordinate EV Charging with V2G

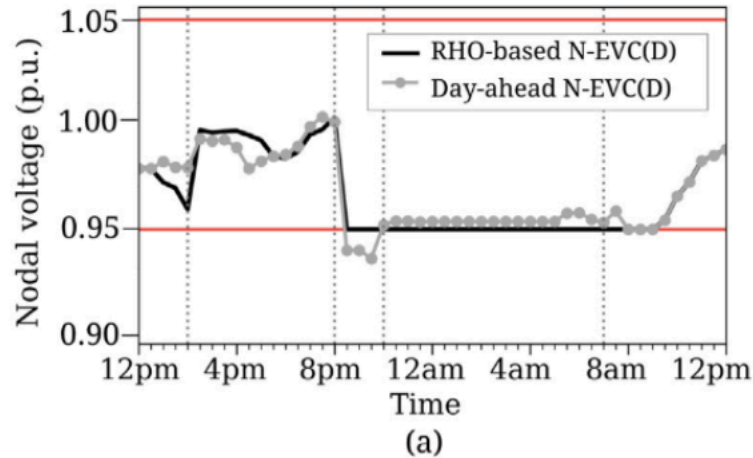
What about the supply voltages?



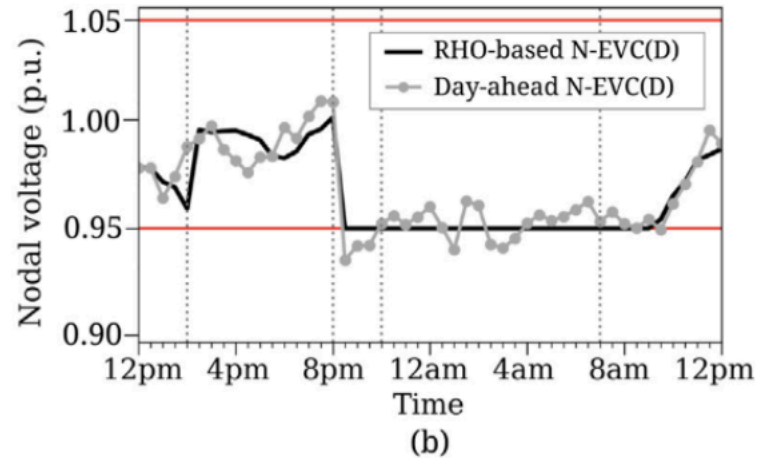
Nanduni I. Nimalsiri, Elizabeth L. Ratnam, Chathurika P. Mediwaththe, David B. Smith, Saman K. Halgamuge, Coordinated charging and discharging control of electric vehicles to manage supply voltages in distribution networks: Assessing the customer benefit, *Applied Energy*, Vol 291, 2021

# Coordinate EV Charging with V2G

## What about the supply voltages?

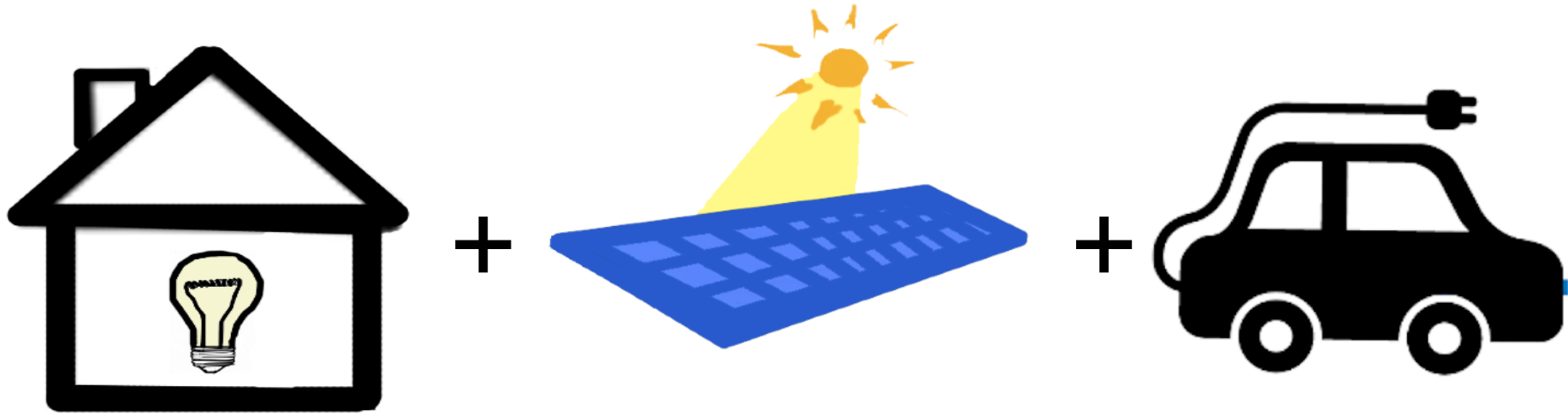


**Day-ahead EV arrival times  
are different from actual EV  
arrival times**



**Day-ahead non-EV load is  
different from actual non-EV  
load**

# What about Electric Vehicle customers?



Residential Load  
 $\approx 20 \text{ kWh/day}$   
 $\approx \$5/\text{day}$

1.5 kW PV unit produces  
1.5 kW PV unit exports

$\approx 5 \text{ kWh/day}$   
 $\approx \$2/\text{day}$   
 $\approx 2 \text{ kWh/day}$

$\approx 14 \text{ kWh/day}$   
 $\approx 110 \text{ km}$   
 $\approx \$9.0/\text{day}$   
LP  $\approx \$0.7/\text{day}$  (**\$8.3**)

## What about **excess** generation?

<https://www.energymadeeasy.gov.au/>  
[https://www.tesla.com/en\\_AU/support/range-calculator](https://www.tesla.com/en_AU/support/range-calculator)



1. A single residential system
2. Coordinated residential systems
3. New Control Paradigms



OPAL-RT  
TECHNOLOGIES



Doosan GridTech™

DOE EERE ENERGISE:  
Phasor-Based Control for  
Scalable Solar  
Photovoltaic Integration,  
\$2.573 million  
2017-2020

# New Control Paradigm

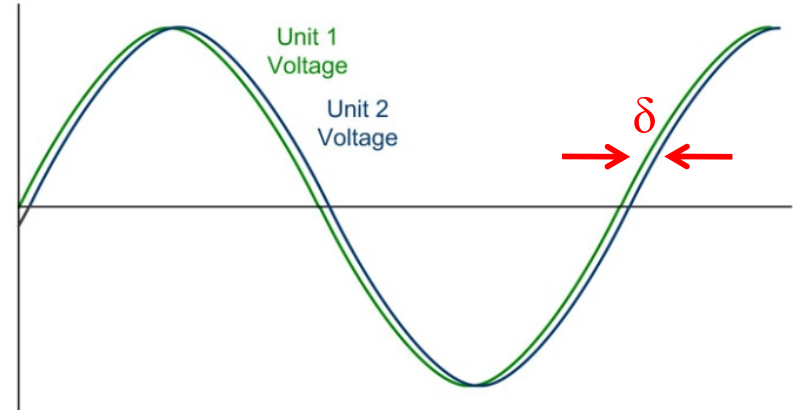
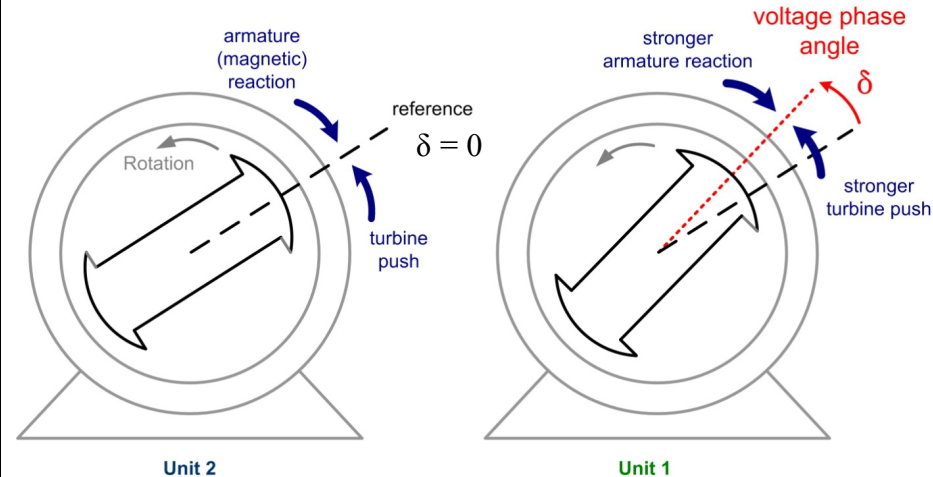
Synchrophasors compare the voltage phase angle at different locations



$$P \approx \frac{V_1 V_2}{\text{Reactance}} \sin(\delta_{12})$$

$$|V_i| \angle \delta_i = \vec{V}_i(k)$$

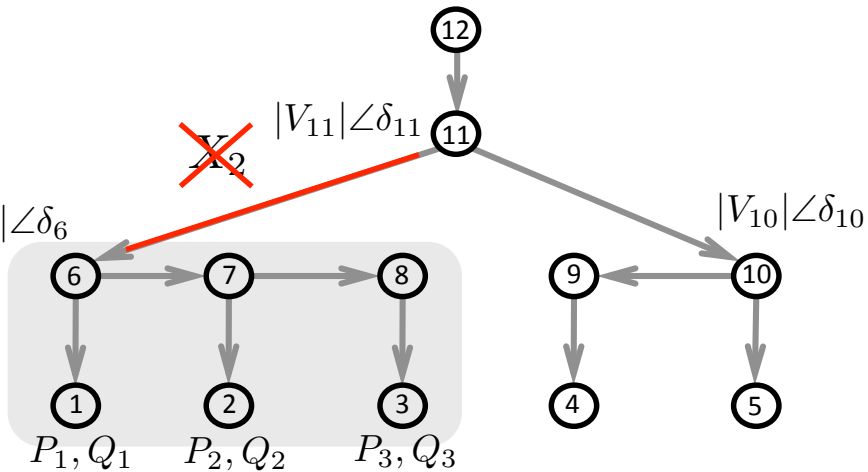
The small phase angle  $\delta$  between different locations on the grid drives a.c. power flow



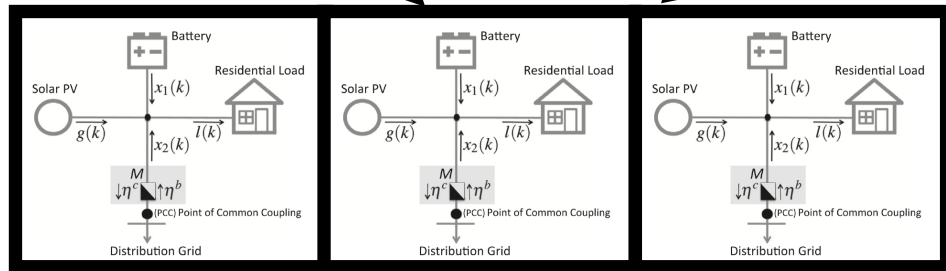
Power injection to the grid is greater where voltage phase angle is farther advanced. Power flows from Unit 1 toward Unit 2

# Phasor-Based Control

$$|V_i| \angle \delta_i = \vec{V}_i(k) = [\vec{V}_i^a(k), \vec{V}_i^b(k), \vec{V}_i^c(k)]^T$$

 $|V_6| \angle \delta_6$ 

## Local Layer



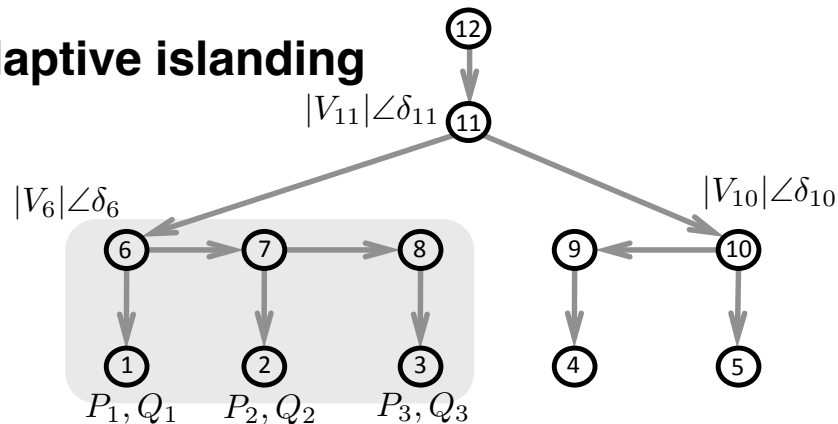
DOE EERE ENERGISE: Phasor-Based Control for Scalable Solar Photovoltaic Integration, \$2.573 million

Phasor-Based Control for Scalable Integration of Variable Energy Resources, A von Meier, EL Ratnam, K Brady, K Moffat, J Swartz, *Energies* 13 (1), 190

# Supervisory Layer: Quadratic Program

## 1. Phasor Alignment to operate a switch / adaptive islanding

$$\min \sum_{k=1}^s \|\vec{V}_{11}(k) - \vec{V}_6(k)\|$$



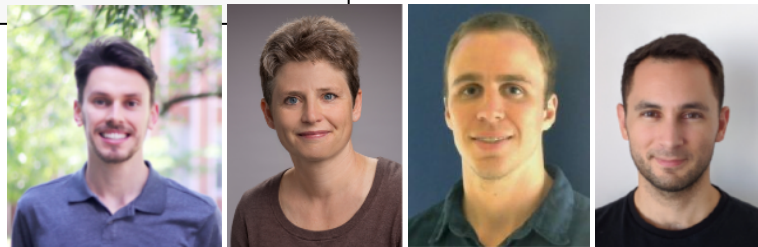
## 2. A-B-C phase balancing

$$\min \sum_{k=1}^s (V_6^a(k) - V_6^b(k))^2 + (V_6^a(k) - V_6^c(k))^2 + (V_6^b(k) - V_6^c(k))^2$$

**Subject to constraints**

Power flow constraints + voltage constraints

$A_1 X_1 \leq N b_1, \mathbb{1}^T X_1 = 0 \longrightarrow$  battery constraints



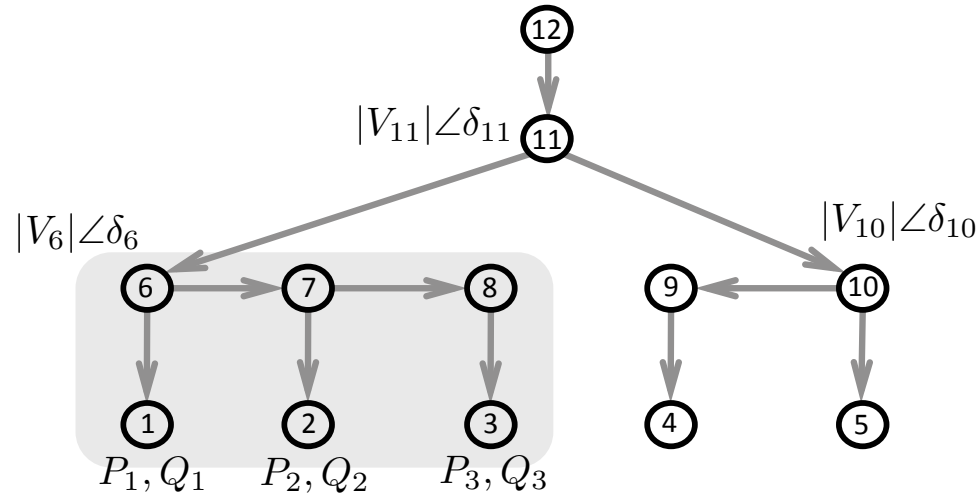
# Local Layer: Phasor Tracking

$$\text{S-PBC Reference} = \begin{bmatrix} |\tilde{V}_6| \\ \angle \tilde{\delta}_6 \end{bmatrix}$$

1. Follow S-PBC reference
2. Disturbance rejection
3. Model free

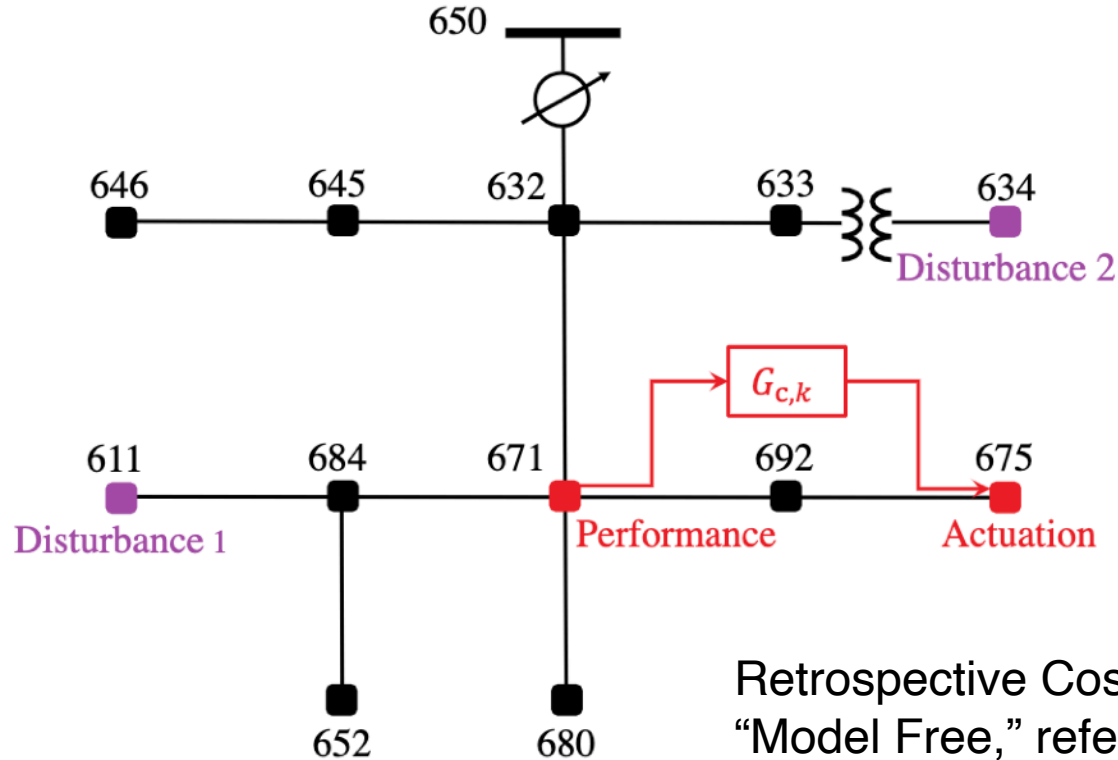
## Approach

- PI control - with offline tuning
- Retrospective Cost Adaptive Control (RCAC)



1. Local Phasor-Based Control of DER Inverters for Voltage Regulation on Distribution Feeders, J Swartz, E Ratnam, TG Roberts, A von Meier, IEEE Green Technologies Conference (GreenTech)
2. Visual Tool for Assessing Stability of DER Configurations on Three-Phase Radial Networks, J. Swartz, B. Wais, E. Ratnam and A. von Meier, 2021 IEEE Madrid PowerTech, 2021, pp. 1-6
3. Phasor-Based Adaptive Control of a Test-Feeder Distribution Network: Application of Retrospective Cost Adaptive Control to the IEEE 13-Node Test Feeder, SAU Islam, EL Ratman, A Goel, DS Bernstein, IEEE Control Systems Magazine 39 (4), 56 - 74

# RCAC controller



Retrospective Cost Adaptive Controller  $G_{c,k}$   
“Model Free,” reference following,  
disturbance rejection

# SOCIAL SHAPING OF LINEAR QUADRATIC MULTI-AGENT SYSTEMS

Australian and New Zealand Control Conference - ANZCC 2021



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**Authors:** Zeinab Salehi<sup>1</sup>, Yijun Chen<sup>2</sup>, Elizabeth Ratnam<sup>1</sup>, Ian R. Petersen<sup>1</sup>, and Guodong Shi<sup>2</sup>



Australian  
National  
University

*<sup>1</sup>Research School of Engineering, The  
Australian National University,  
Canberra, Australia.*

*<sup>2</sup>The Australian Center for Field  
Robotics, The University of Sydney,  
NSW, Australia.*

# Texas: February 2021

An extreme cold weather event resulted in power a power outage disaster throughout the state. Consequently,

- Some Texans received bills of \$USD 5000, or more for 5 days of power



February 17, after



# Motivated by Texas: February 2021

We propose a transactive energy system to guarantee that the price for electricity at a competitive equilibrium is always socially acceptable.

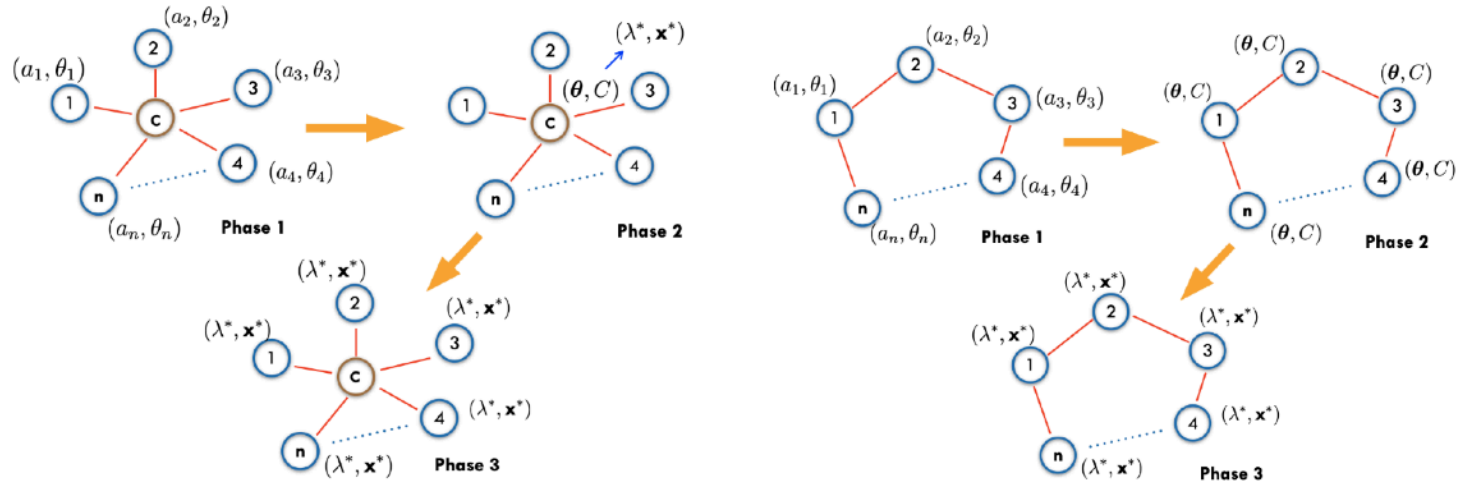
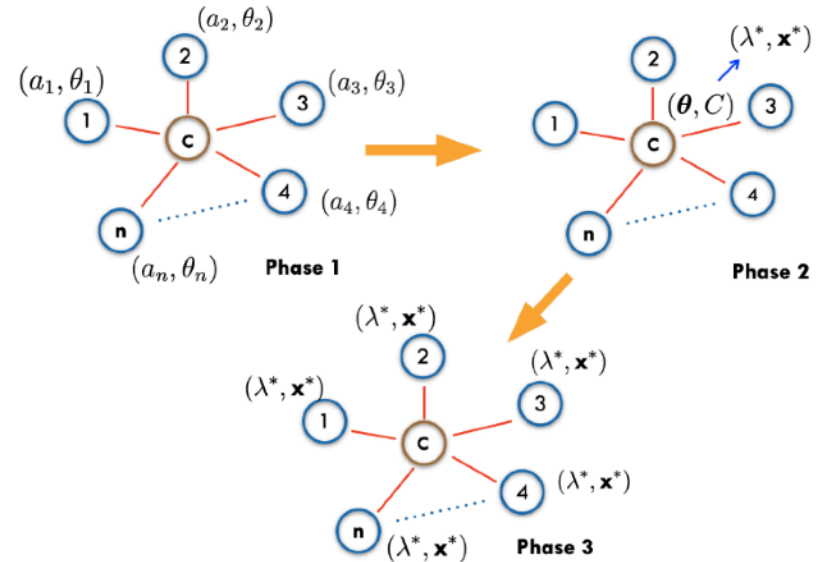


Fig. 1: Centralized (left) and distributed (right) implementations of competitive equilibria for the proposed transactive energy systems. Each dark blue circle represents an agent in the system; the brown circle represents a central coordinator agent; each red line represent a communication link. The implementations take place in three sequential phases.

# Motivated by Texas: February 2021

We propose a transactive energy system to guarantee that the price for electricity at a competitive equilibrium is always socially acceptable.

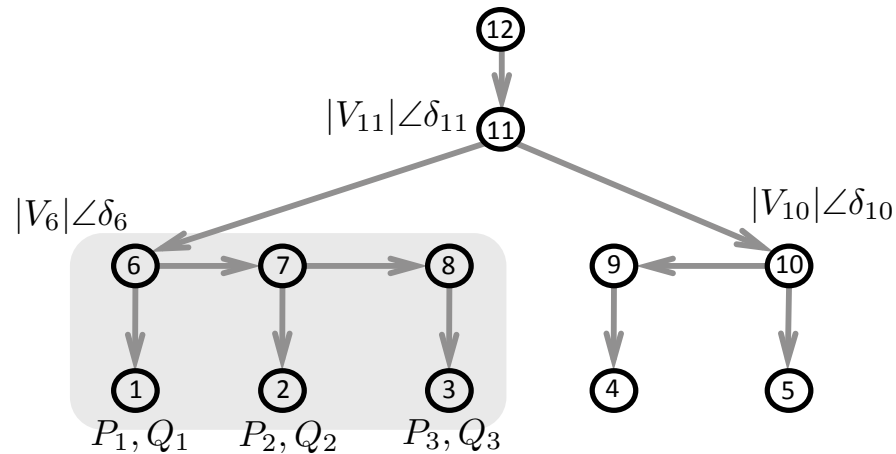
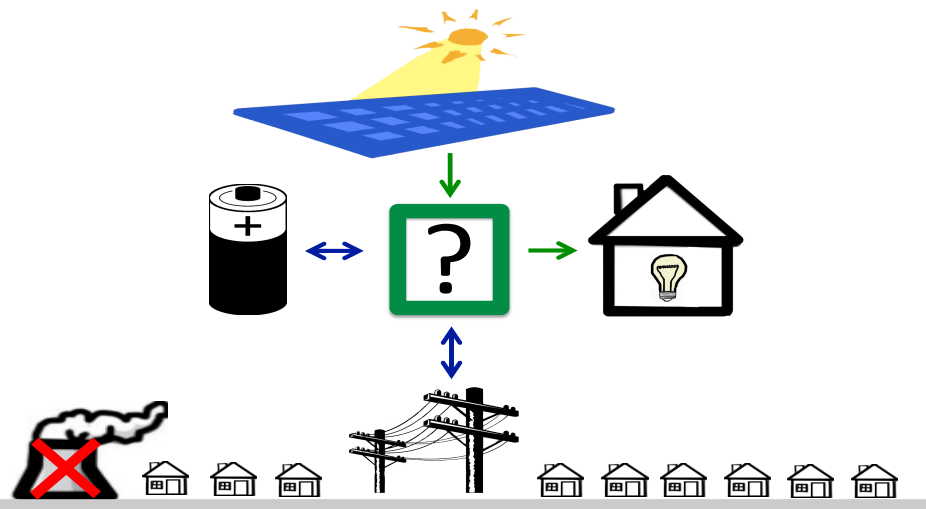
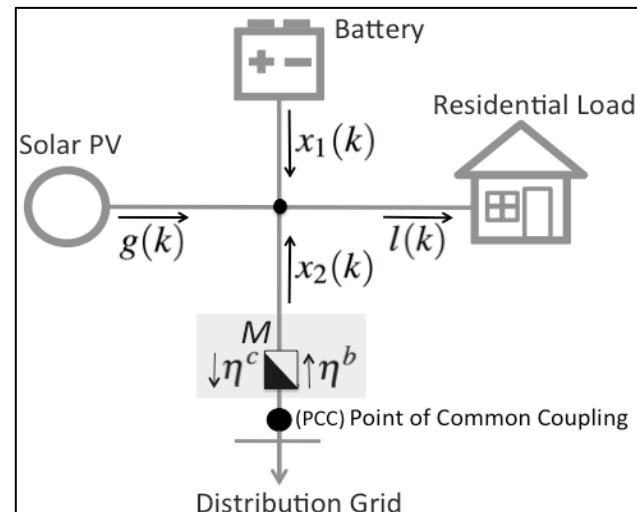
- Aim to reduce customer bills (when customers are prosumers)
- Satisfy thermal comfort of users
- Guarantee the price for electricity never exceeds an affordable price threshold, even during extreme weather events



# 1. A single residential system

## 2. Coordinated residential systems

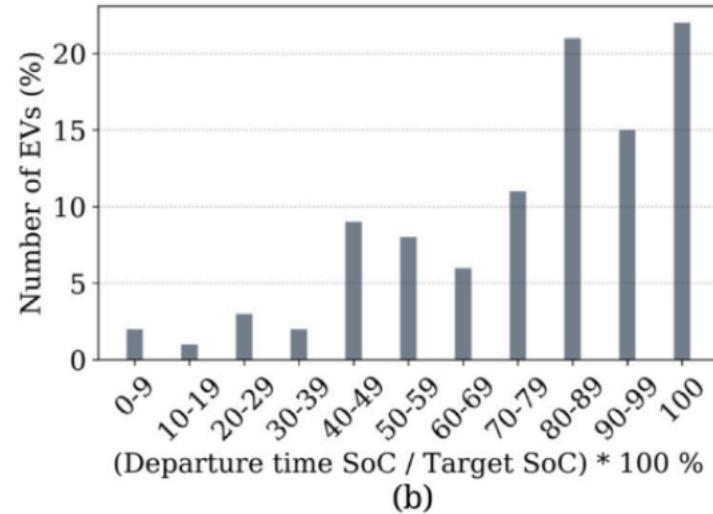
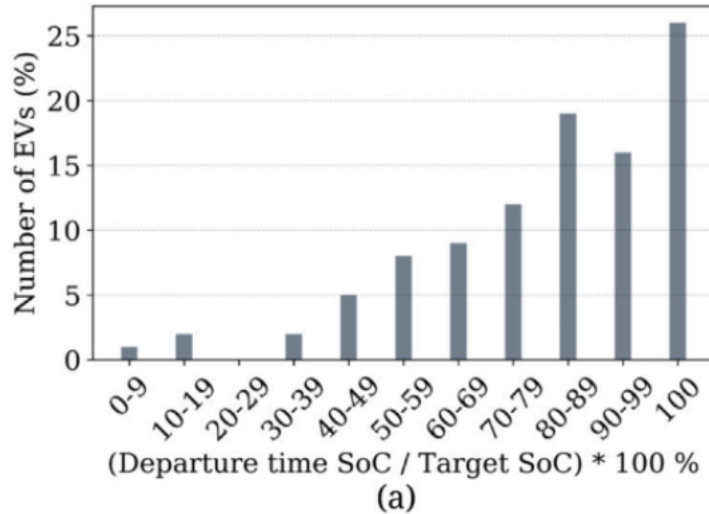
## 3. New Control Paradigms



Thank you!

# Coordinate EV Charging with V2G

## 2. What about the supply voltages?

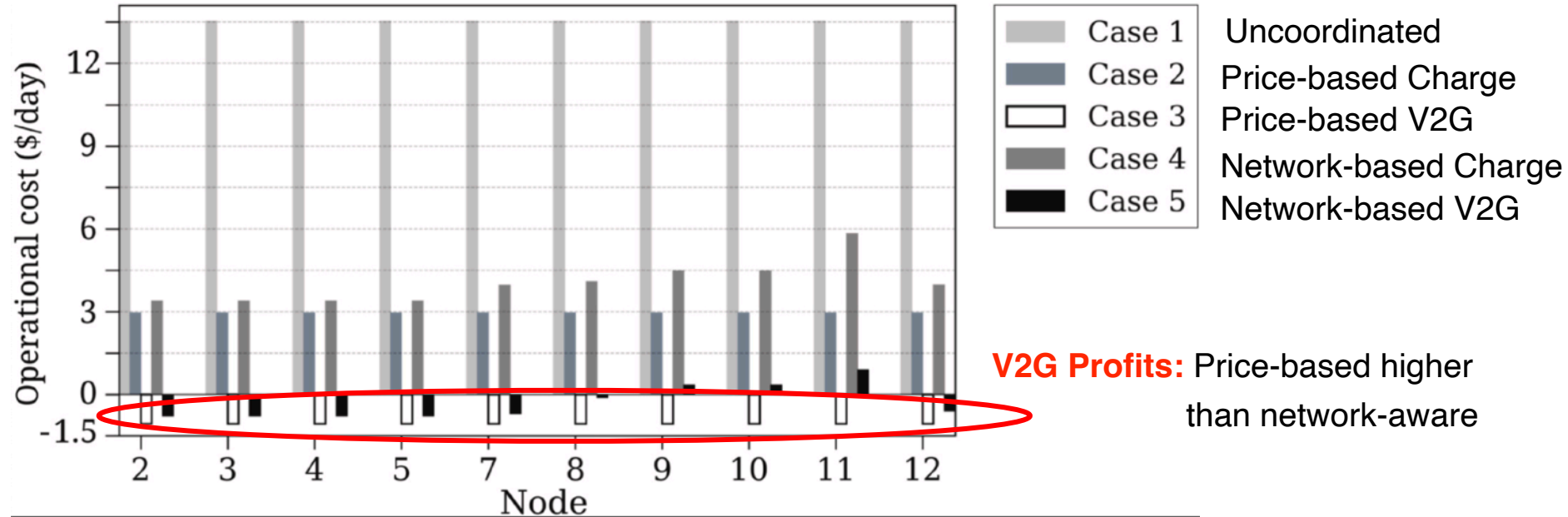


Without RHO: Departure time SOC is not met in all cases,

With RHO: All EVs attain their target SoC ahead of the departure time

# Coordinate EV Charging with V2G

## 2. What about the supply voltages?



Nanduni I. Nimalsiri, Elizabeth L. Ratnam, Chathurika P. Mediwaththe, David B. Smith, Saman K. Halgamuge, Coordinated charging and discharging control of electric vehicles to manage supply voltages in distribution networks: Assessing the customer benefit, Applied Energy, Vol 291, 2021

## Fast AC Chargers (Level 2)

- A dedicated 32 amp AC charger up to 7kw on single phase power and 22kw on three phase power
- Dedicated circuit installed in homes, apartment complexes, workplaces, shopping centres and hotels
- Will add about 50-100km range per hour
- Will deliver a full charge from empty overnight for all EVs

